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The MUonE experiment: status and plans

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on behalf of the MUonE Collaboration



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University of Connecticut, 03-07 August 2026

The MUonE experiment



New independent evaluation of $a_\mu^{\text{HVP,LO}}$, based on the measurement of $\Delta\alpha_{\text{had}}(t)$ in the space-like region

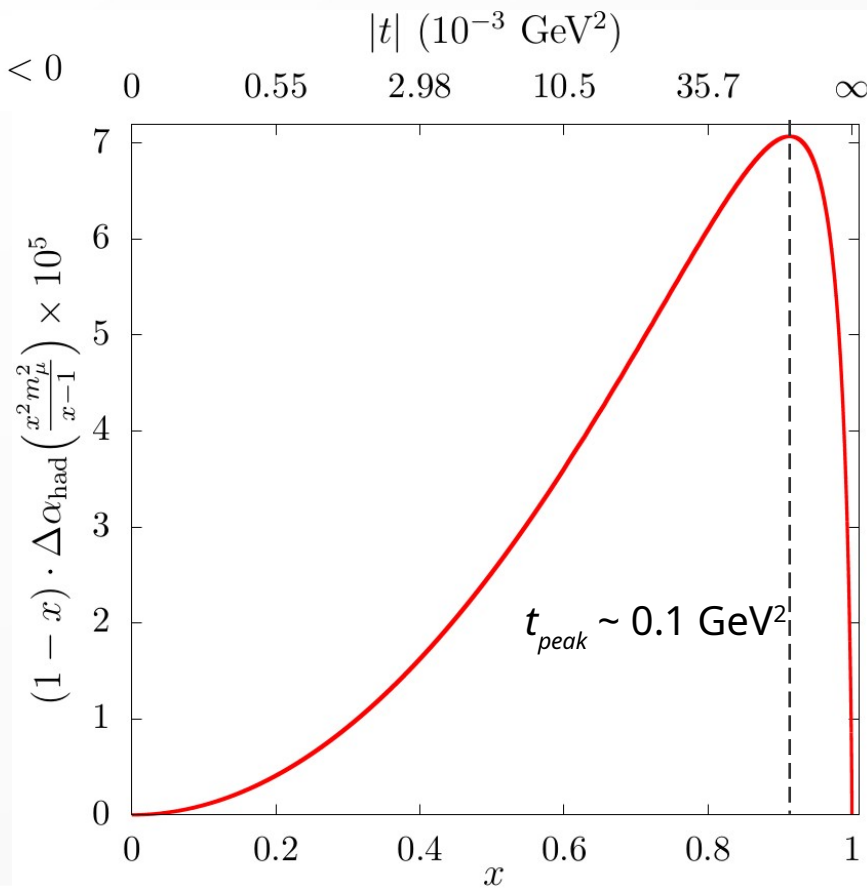
Phys. Lett. B 746 (2015), 325

Eur. Phys. J. C 77.3 (2017), 139

Letter of Intent CERN-SPSC-2019-026

Proposal for Phase 1 of the MUonE experiment

$$a_\mu^{\text{HLO}} = \frac{\alpha_0}{\pi} \int_0^1 dx (1-x) \Delta\alpha_{\text{had}}[t(x)] \quad t(x) = \frac{x^2 m_\mu^2}{x-1} < 0$$



The MUonE experiment



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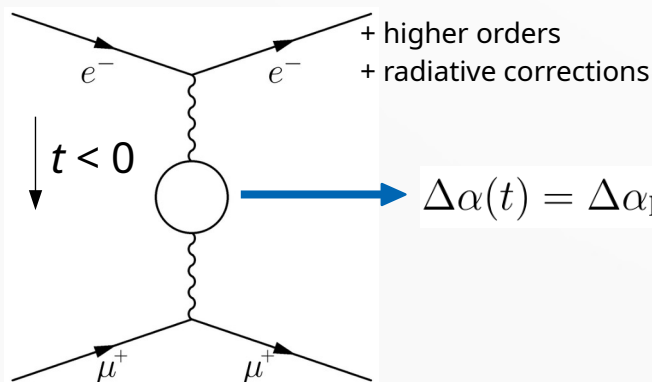
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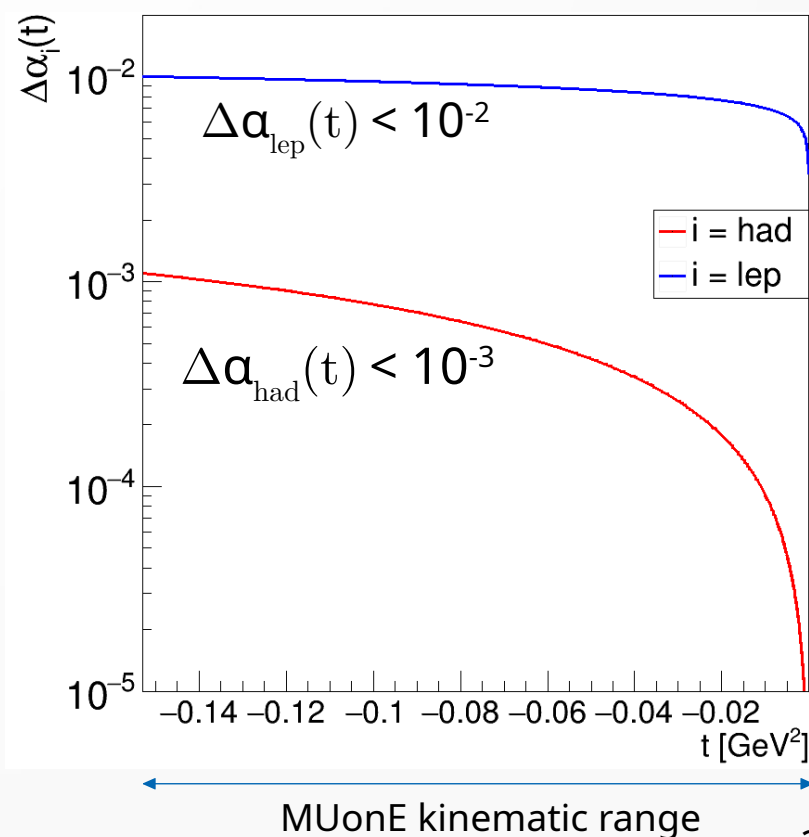
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$$a_\mu^{\text{HLO}} = \frac{\alpha_0}{\pi} \int_0^1 dx (1-x) \Delta\alpha_{\text{had}}[t(x)] \quad t(x) = \frac{x^2 m_\mu^2}{x-1} < 0$$

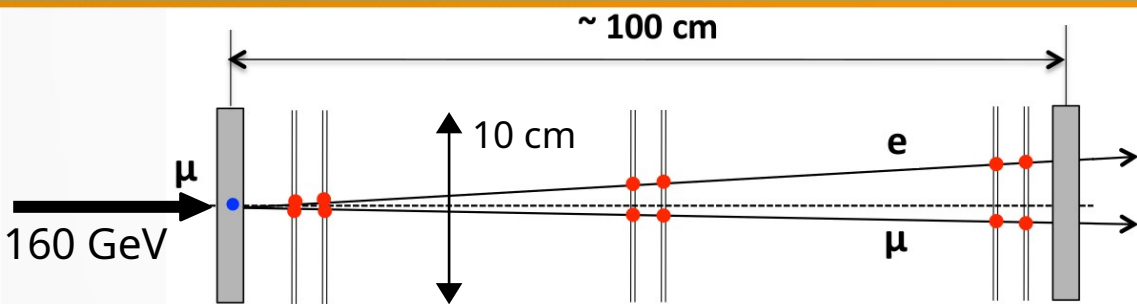
Extract $\Delta\alpha_{\text{had}}(t)$ from the *shape* of $\mu e \rightarrow \mu e$ differential cross section



$$\Delta\alpha(t) = \Delta\alpha_{\text{lep}}(t) + \Delta\alpha_{\text{had}}(t) + \Delta\alpha_{\text{top}}(t)$$



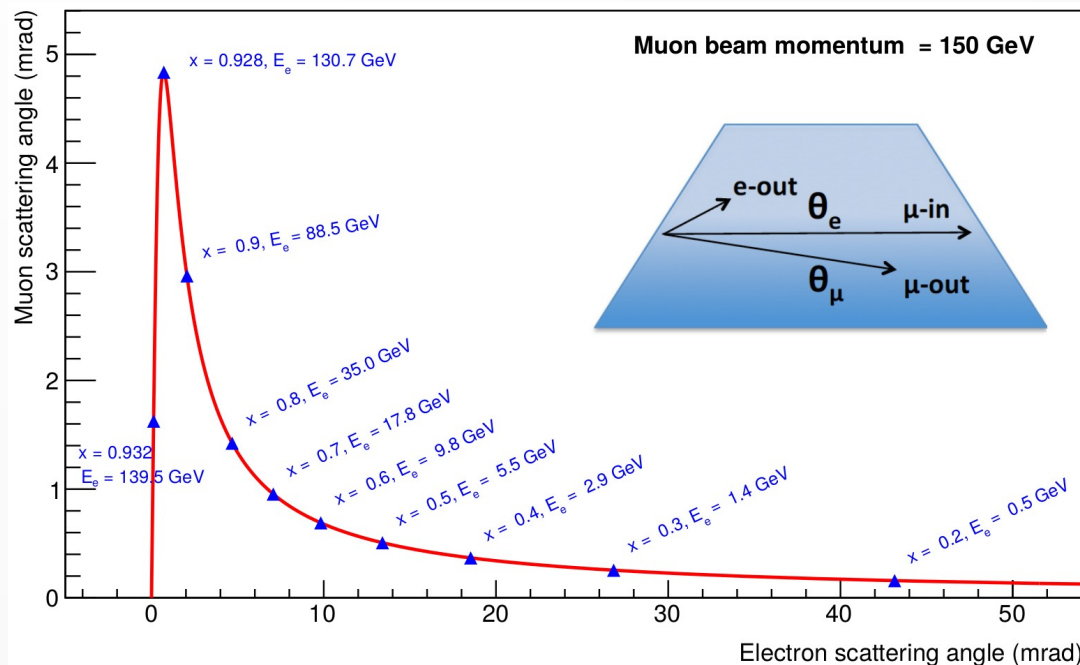
The MUonE experiment



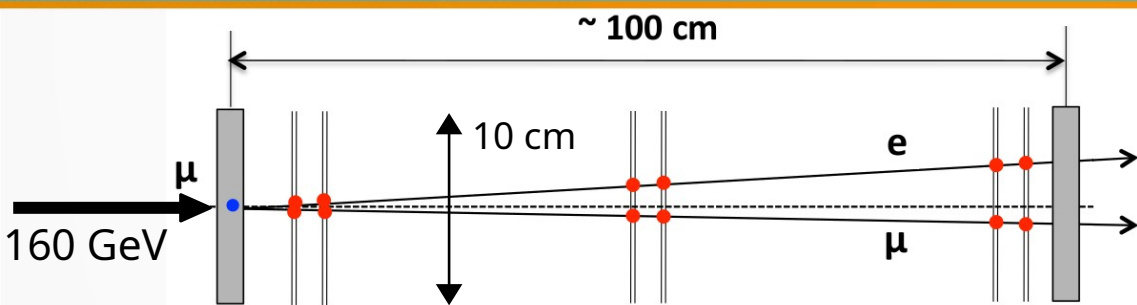
$$R_{\text{had}} = \frac{d\sigma_{\text{data}}(\Delta\alpha_{\text{had}})}{d\sigma_{\text{MC}}(\Delta\alpha_{\text{had}} = 0)} \sim 1 + 2\Delta\alpha_{\text{had}}(t)$$

low-Z target ~1.5 cm
6 Si strip detectors (3 XY points)

- Observables: (θ_e, θ_μ)
- Exploit (θ_e, θ_μ) correlation to reject background (main source: $\mu N \rightarrow \mu N e^+e^-$)
- Boosted kinematics:
 $\theta_\mu < 5 \text{ mrad}$, $\theta_e < 32 \text{ mrad}$



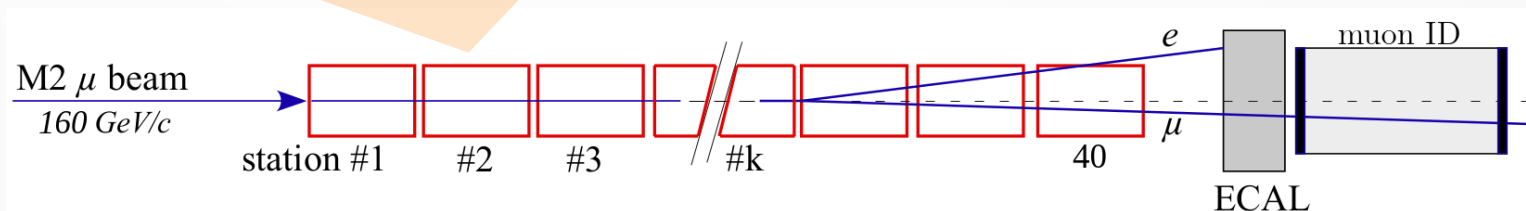
The MUonE experiment



$$R_{\text{had}} = \frac{d\sigma_{\text{data}}(\Delta\alpha_{\text{had}})}{d\sigma_{\text{MC}}(\Delta\alpha_{\text{had}} = 0)} \sim 1 + 2\Delta\alpha_{\text{had}}(t)$$

BMS

....



- Modular layout:
each station measures
the incident muon direction
for the following one

- ECAL: PID + e^- energy
- Muon ID: PID
- BMS: beam momentum spectrometer

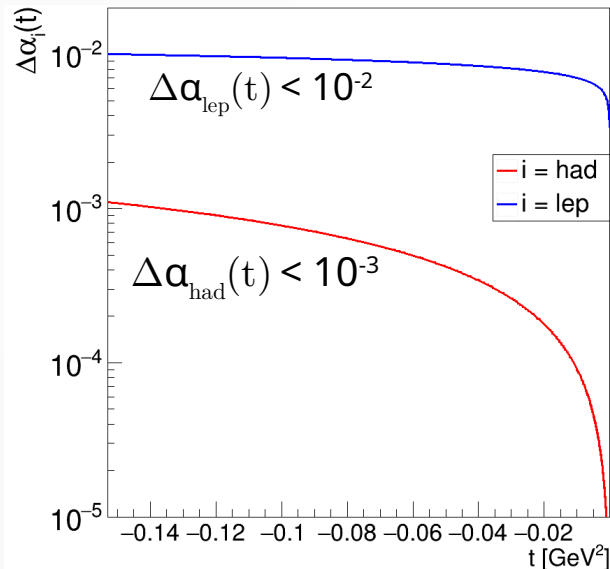
The MUonE experiment



MUonE final goal:

- ~3 years post LS3 (>2030)
- 40 stations
- 4×10^{12} elastic events
- $a_{\mu}^{\text{HVP,LO}} < 0.5\%$
- ~1% precision on $\Delta\alpha_{\text{had}}(t)$

(error on $\Delta\alpha_{\text{had}}(t)$: 10^{-5} in the signal region)



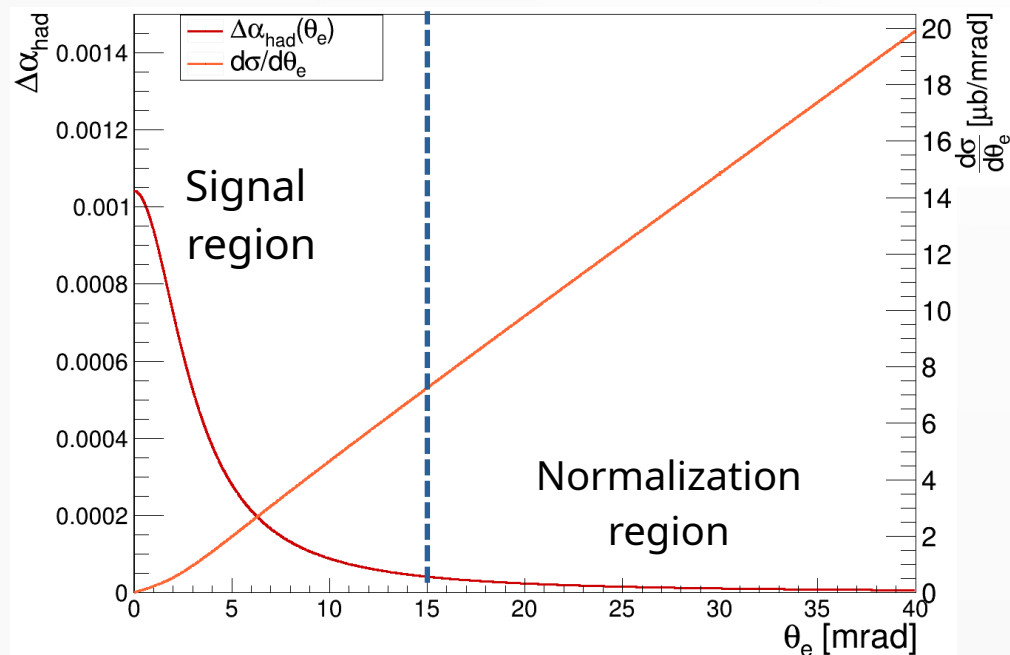
Systematic error goal:
10 ppm on the shape of
the differential cross section

- 10 μm longitudinal alignment
- Measure beam energy at few MeV
- Multiple scattering ~1%
- Angular intrinsic resolution
- Uniform detector response over full angular range
- Need of dedicated MC generators: signal (>NNLO), main backgrounds

Strategy for the systematic effects

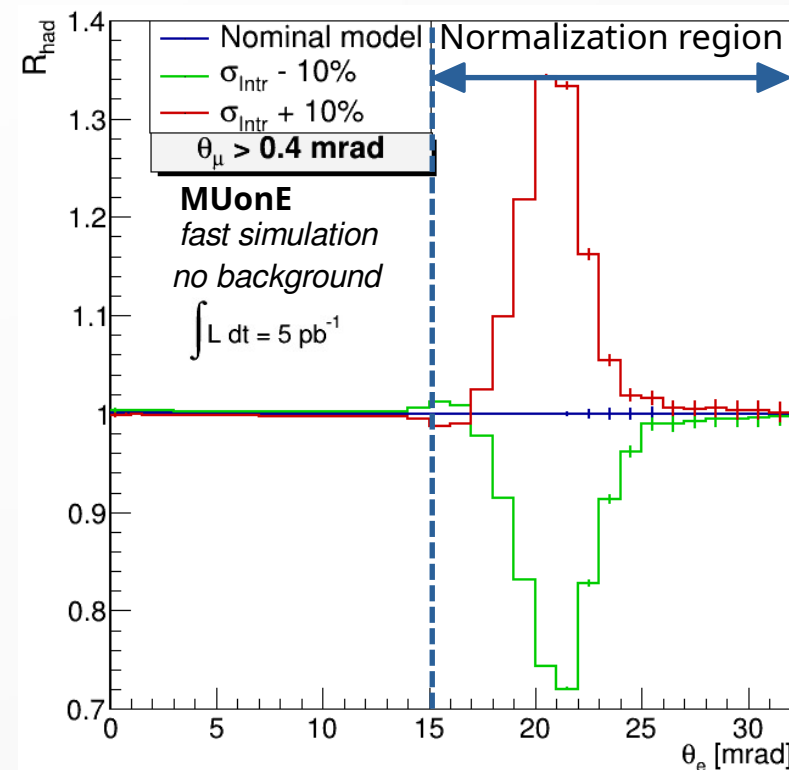
Promising strategy:

- Study the main systematics in the normalization region: large systematic effects but no sensitivity to $\Delta\alpha_{\text{had}}$
- Include residual systematics as nuisance parameters in a combined fit with signal



Example: $\pm 10\%$ systematic error on the angular intrinsic resolution

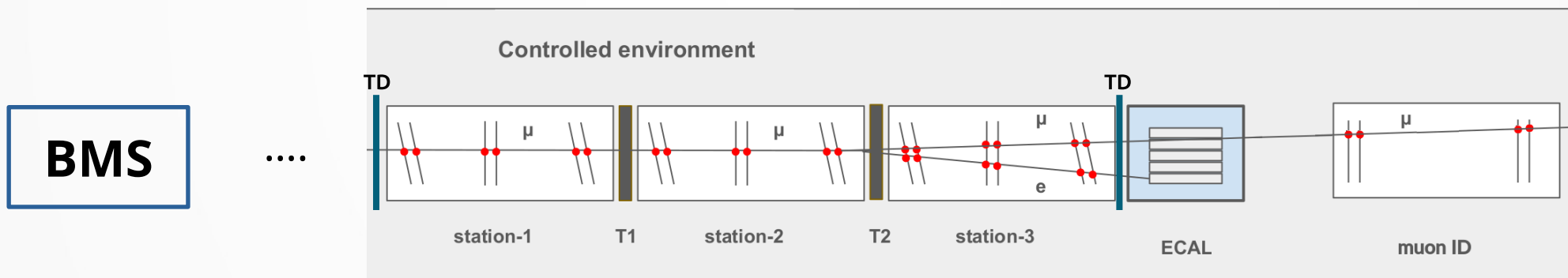
$$R_{\text{had, MC}} = \frac{d\sigma_{\text{MC}}(\Delta\alpha_{\text{had}})}{d\sigma_{\text{MC}}(\Delta\alpha_{\text{had}} = 0)} \sim 1 + 2\Delta\alpha_{\text{had}}(t)$$



MUonE Phase-1: Test Run 2025

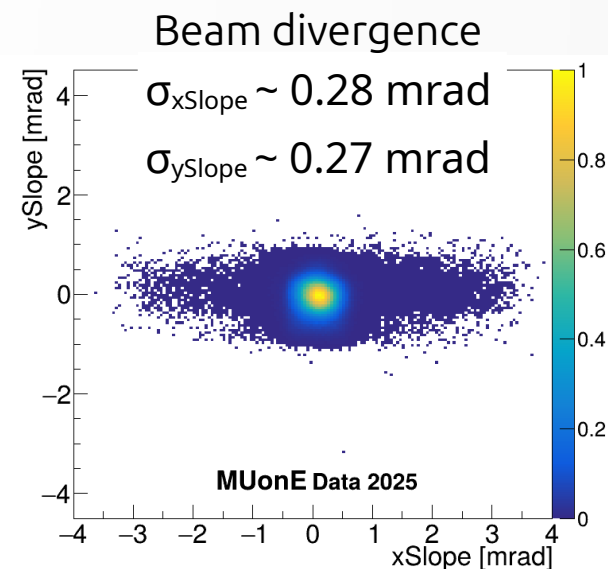
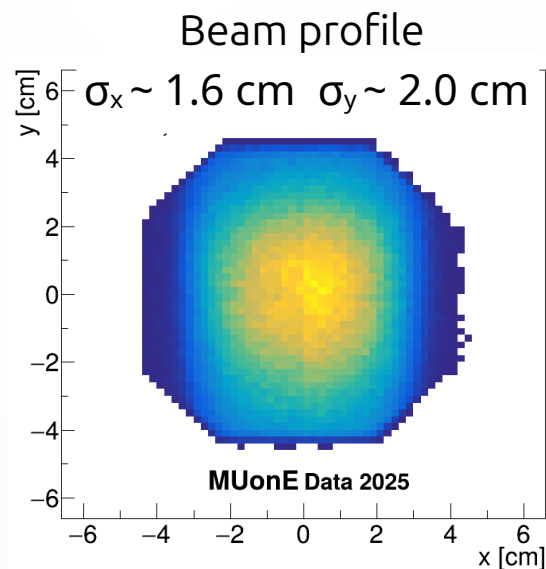
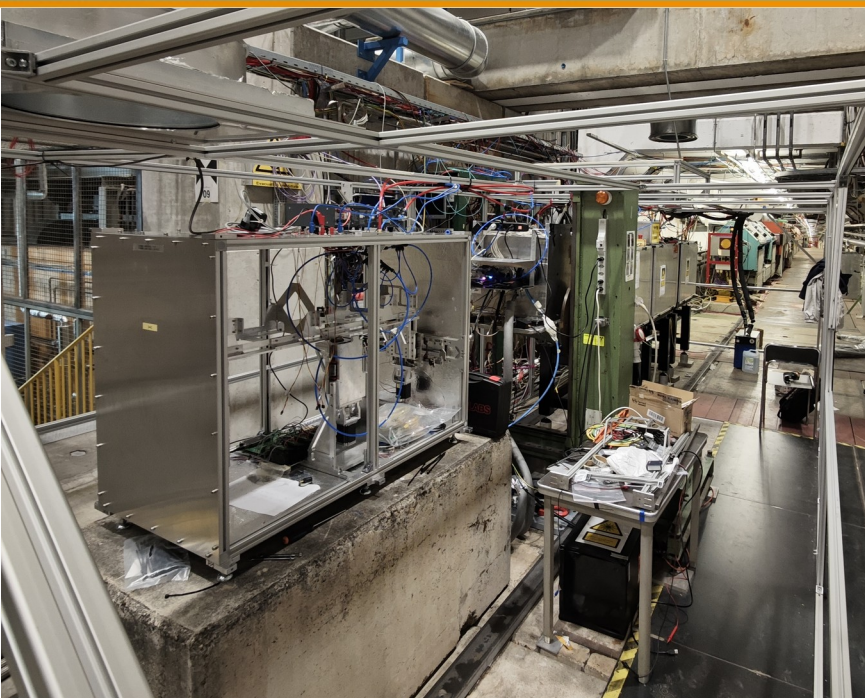


Proposal for Phase 1 of the MUonE experiment

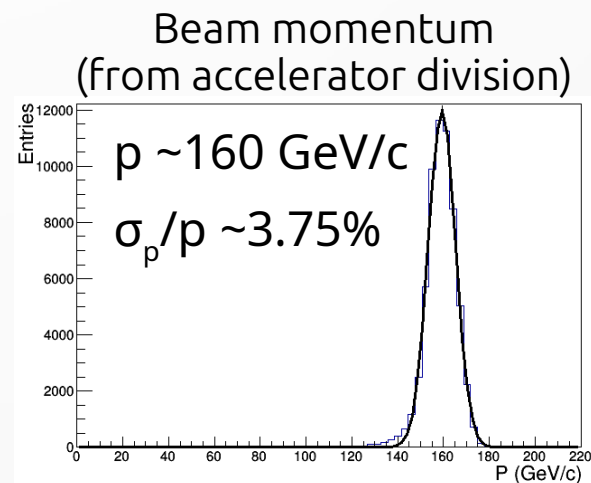


- 3 × tracking stations: muon beam direction and angles of the interaction products
- 2 × C targets (each 2 cm thick)
- ECAL: e^- PID + E_e measurement
- Timing detector: time of arrival of muons. 2 plastic scintillators before and after the tracking stations
- Muon ID: μ PID. Equipped with 4 prototype 2S modules
- BMS: measure p_μ event by event. 2 × tracking stations, each equipped with 4 prototype 2S modules

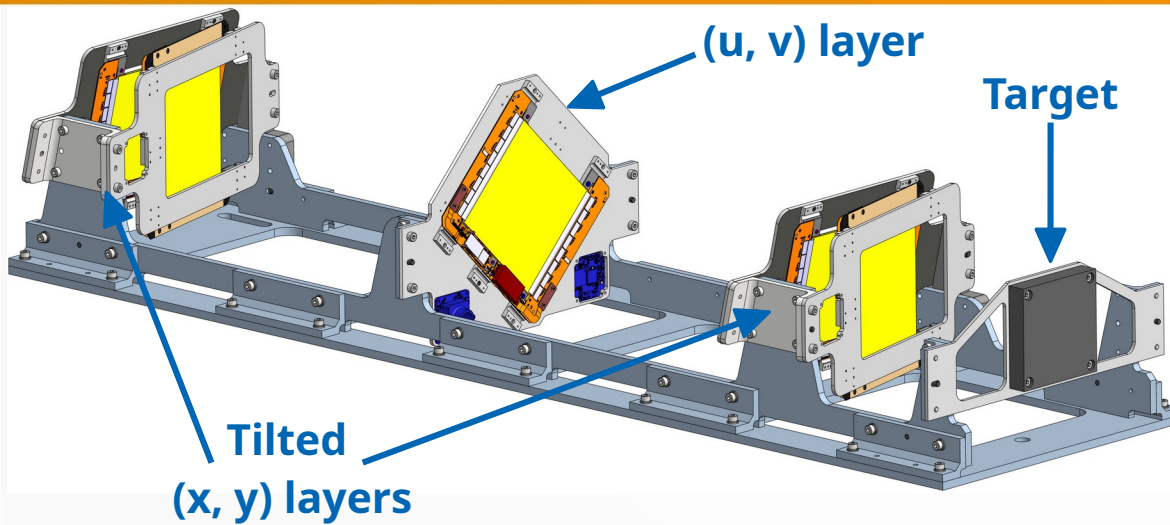
M2 beamline at CERN North Area



- MUonE location:
upstream of the AMBER detector
- Spill duration 4.8 s, $\sim 25\%$ duty cycle
- $\sim 2 \times 10^8 \mu^+/\text{spill} \rightarrow \sim 4 \times 10^7 \mu^+/\text{s}$
- Muons **asynchronous** to the DAQ clock



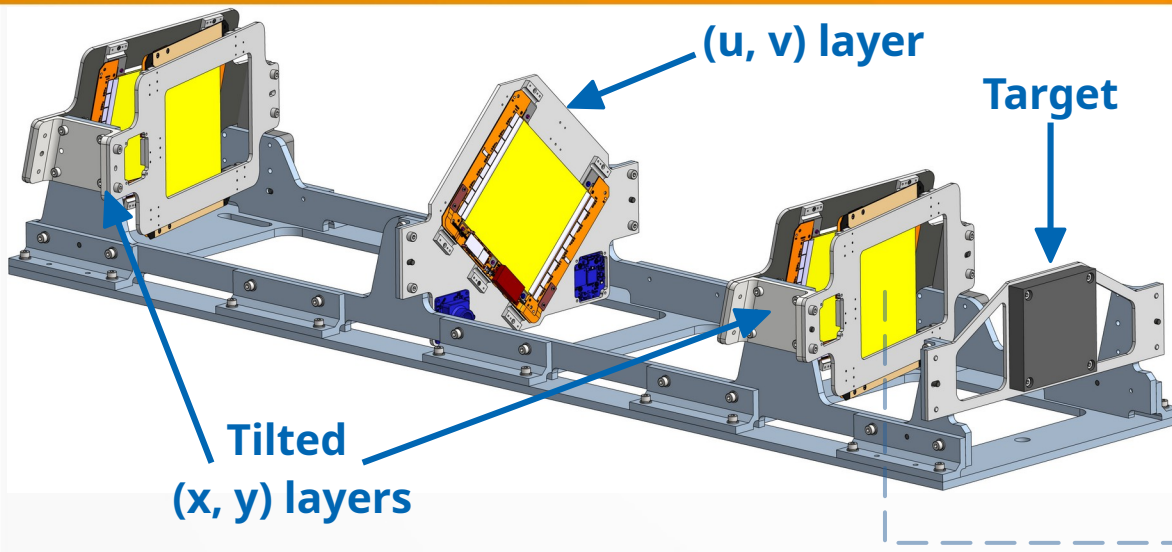
Tracking system



INVAR (Fe/Ni alloy)
CTE ~ 1.2 ppm/K

- (x, y) layers:
tilted by 233 mrad $\rightarrow \sim 2\times$ hit
resolution improvement
- (u, v) layers:
solve reconstruction
ambiguities

Tracking system

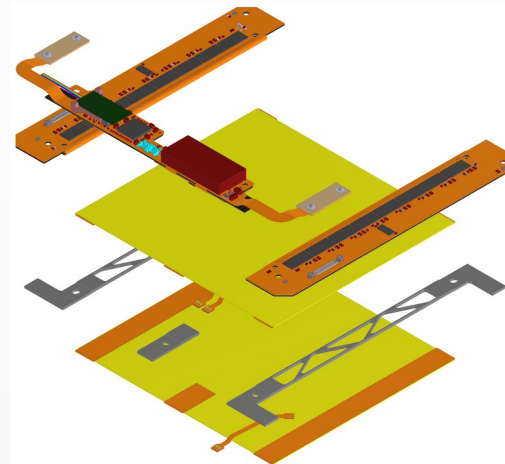


INVAR (Fe/Ni alloy)
CTE ~ 1.2 ppm/K

2S modules (CMS Phase2 upgrade)

TDR CMS Tracker Phase2 Upgrade

- (x, y) layers:
tilted by 233 mrad $\rightarrow$ $\sim 2\times$ hit resolution improvement
- (u, v) layers:
solve reconstruction ambiguities



- ~ 90 cm² active area
- 2×320 μ m thickness
- 40 MHz, binary readout
- 90 μ m pitch
(~ 26 μ m hit resolution)

Calorimeter & MuonID: E_e + PID



ECAL

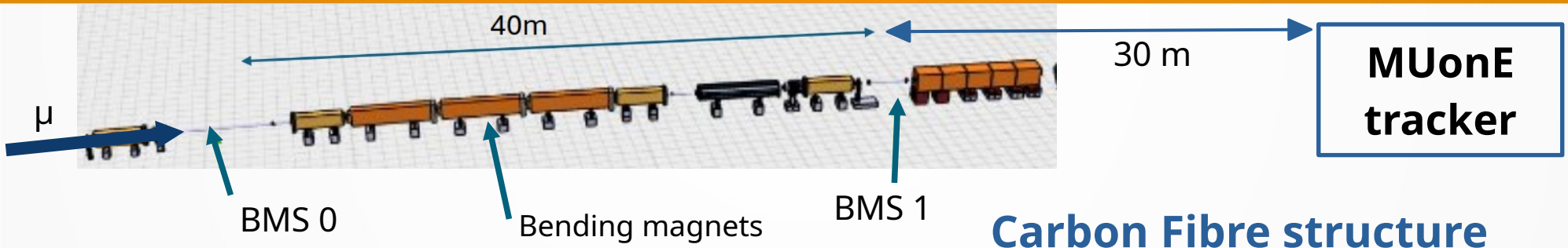


MuonID

- 5x5 PbWO₄ crystals (CMS ECAL)
 - area: $2.85 \times 2.85 \text{ cm}^2$
 - length: 23 cm ($\sim 25 X_0$)
- Total ECAL area: $\sim 14 \times 14 \text{ cm}^2$
- Readout: $10 \times 10 \text{ mm}^2$ APD

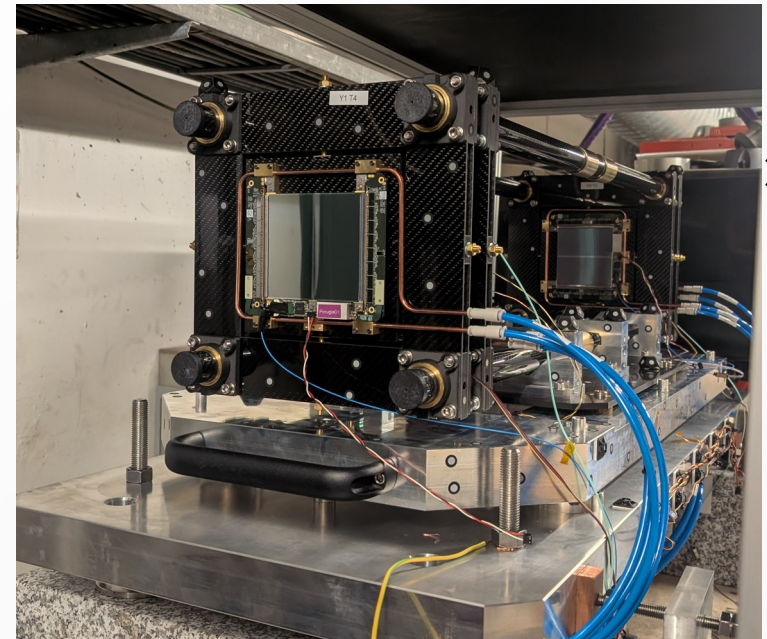
- Aluminum tracking station
- 4x2S modules (2 non-tilted XY pairs)
- Alternative solution R&D: scintillating fibres

BMS (Beam Momentum Spectrometer)



- Bending power: $16 \text{ T}\cdot\text{m}$
(30 mrad @160 GeV)
- Two tracking stations before/after bending magnets to measure deflection
- Proof of concept in 2025.
First analysis ongoing. Challenges:
 - Alignment
 - B-field monitoring

Carbon Fibre structure



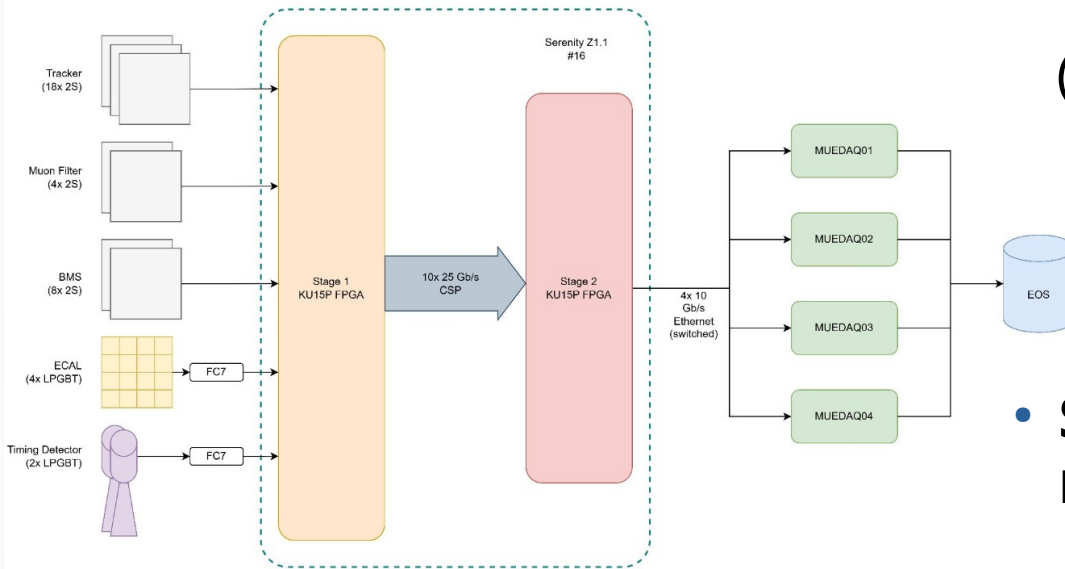
Each tracking station 1 m long
2 (x, y) non-tilted layers

DAQ system



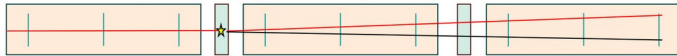
Based on the Serenity platform
(developed for CMS Phase-2 Upgrade)

**Two stages firmware design
triggerless readout @40MHz**

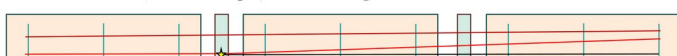


Online trigger event topologies

- Single muon interaction first (in the example) / second target



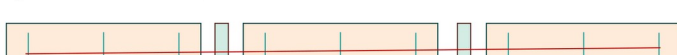
- Pileup muon interaction first (in the example) / second target



- Single passing muon station 1 && 2 / 2 && 3



- Pileup passing muon station 1 && 2 / 2 && 3



• Stage 1:

Data aggregation per sub-detectors:

- 3x tracking stations
- MuonID
- ECAL
- 2x BMS
- Timing detectors

- Online selection based on tracker occupancy
Event rate reduced from 40 MHz to ~500 kHz

• Stage 2:

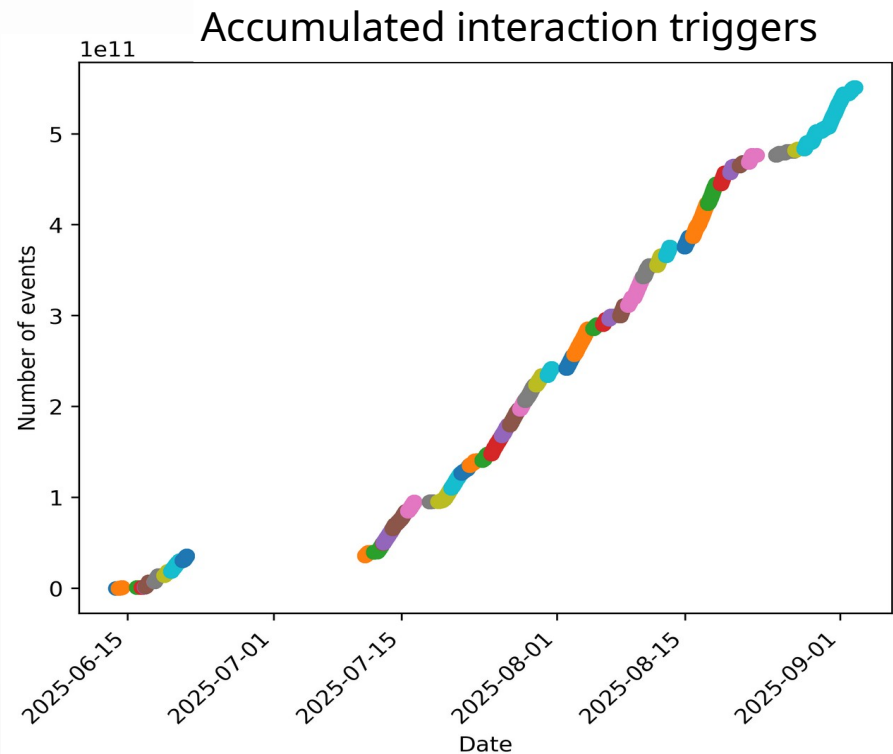
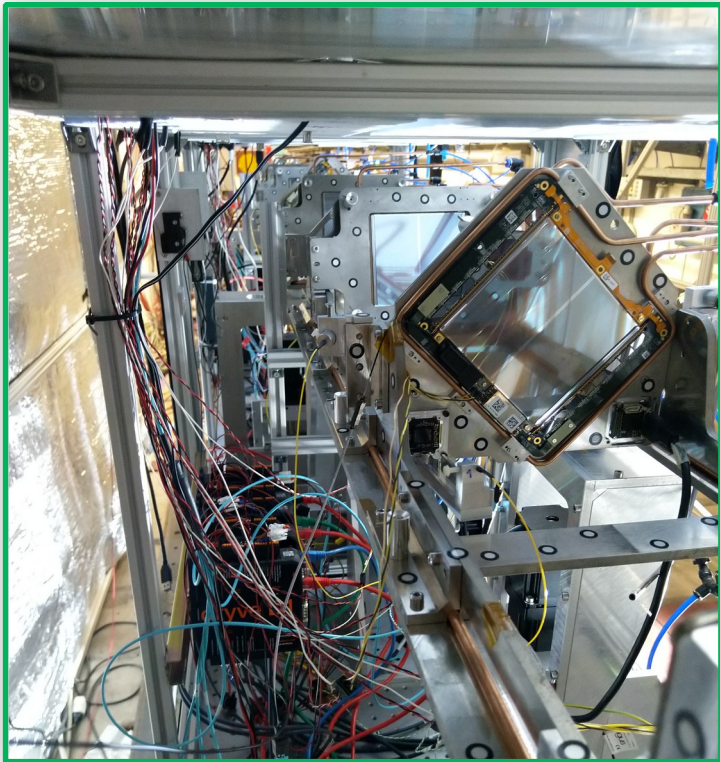
event building, grouping information from
all sub-detectors in time-coherent packets

Phase-1 final statistics



3-months data taking (June-August 2025)

- more than 5×10^{11} interaction triggers recorded (~500 TB disk space)
- $\sim 10^8$ elastic scattering events after selection

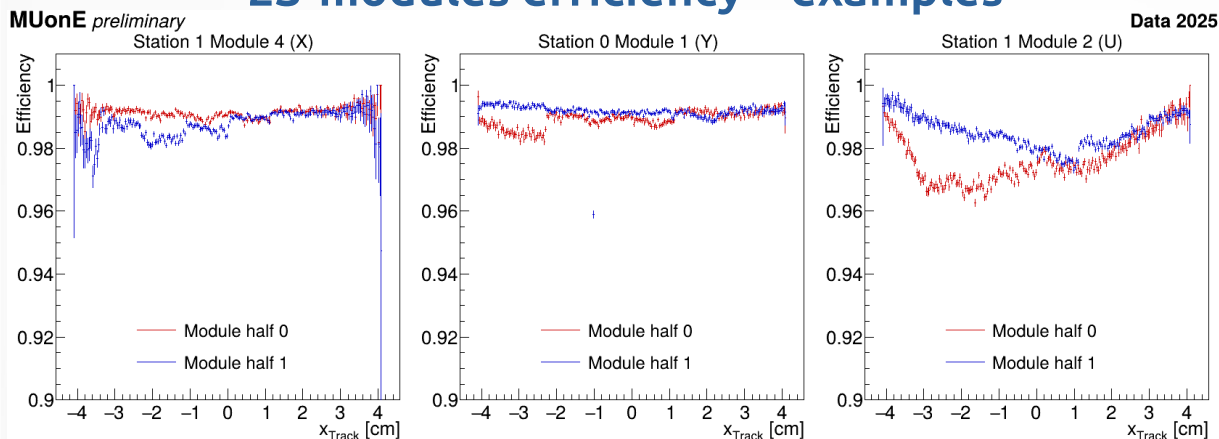


Tracking performance - efficiency



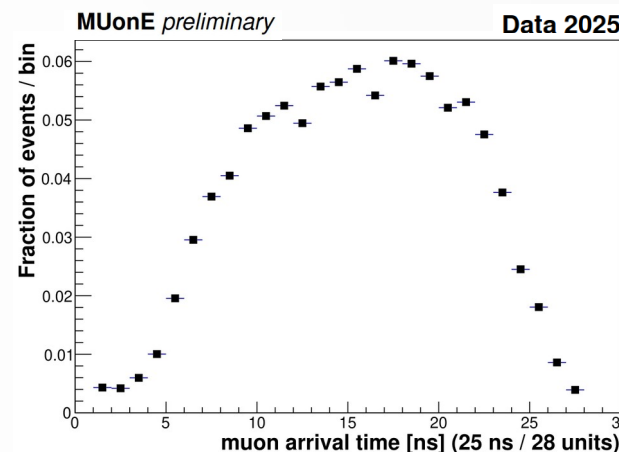
Paper about 2S-modules performance in preparation
(joint paper with the CMS tracker group)

2S-modules efficiency – examples



- Typical average efficiency: ~98%-99%
- Space uniformity: ~0.3%-0.6%.
Steps due to non-optimal threshold equalisation across different chips
- Spatial profiles included in MC to account for non-uniformities

Effects of the asynchronous beam on the efficiency



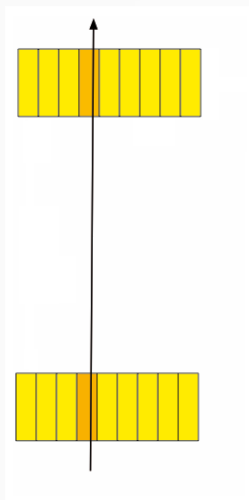
- ◆ Timing detector used to correlate the efficiency with particles arrival time
- ◆ Efficiency loss at clock edges
- ◆ Modules efficiency is ~99.5% if in-time particles are selected

Tracking performance - resolution

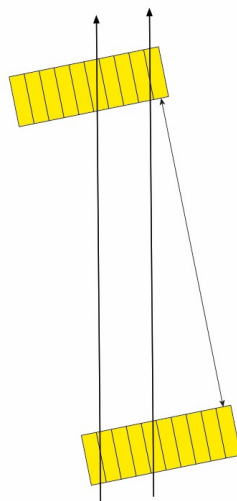


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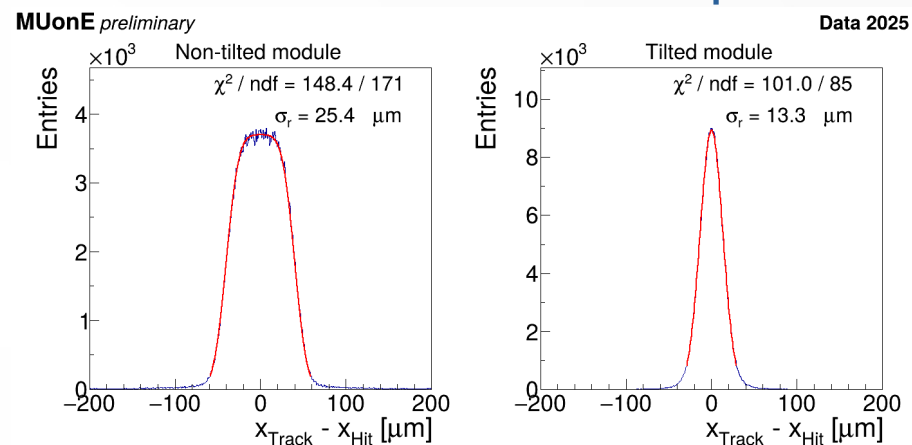
Non-tilted module



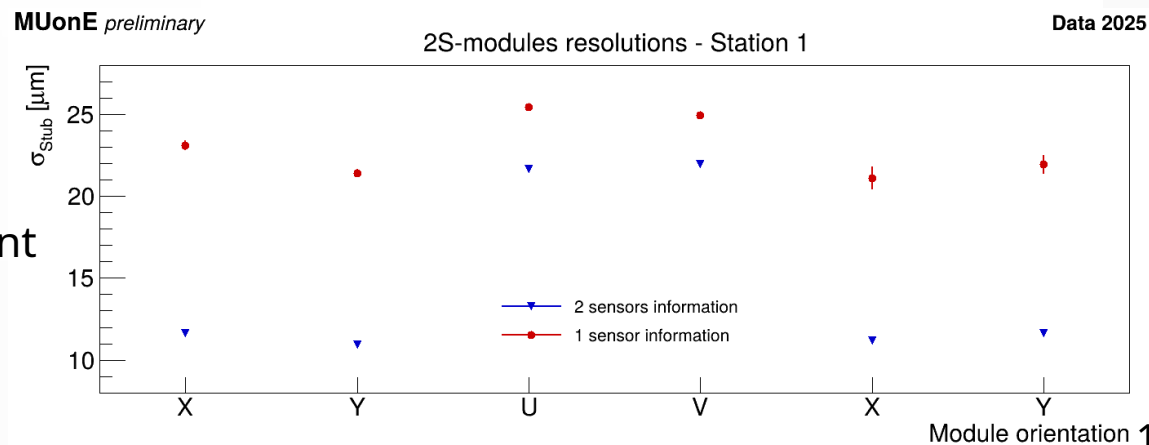
Tilted module



2S-modules residuals – examples



- Tilting the 2S-modules:
two uncorrelated position
measurements $\rightarrow$ resolution improvement
- Non-tilted modules (UV): $\sigma_{\text{hit}} \sim 22 \mu\text{m}$
- Tilted modules (XY): $\sigma_{\text{hit}} \sim 12 \mu\text{m}$



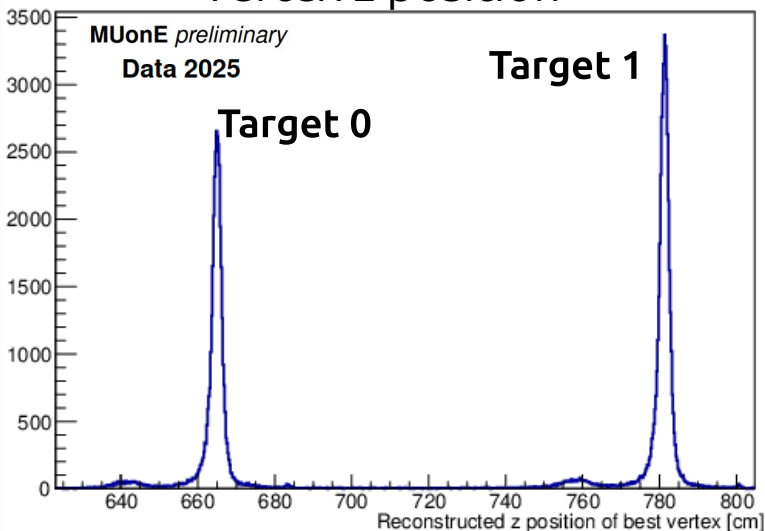
Elastic scattering events



Tracker event selection

- 1 incoming track, 2 outgoing tracks
- No shared hits between tracks
- No extra hits in the stations
- Reject non-planar events (background suppression)

Vertex z position



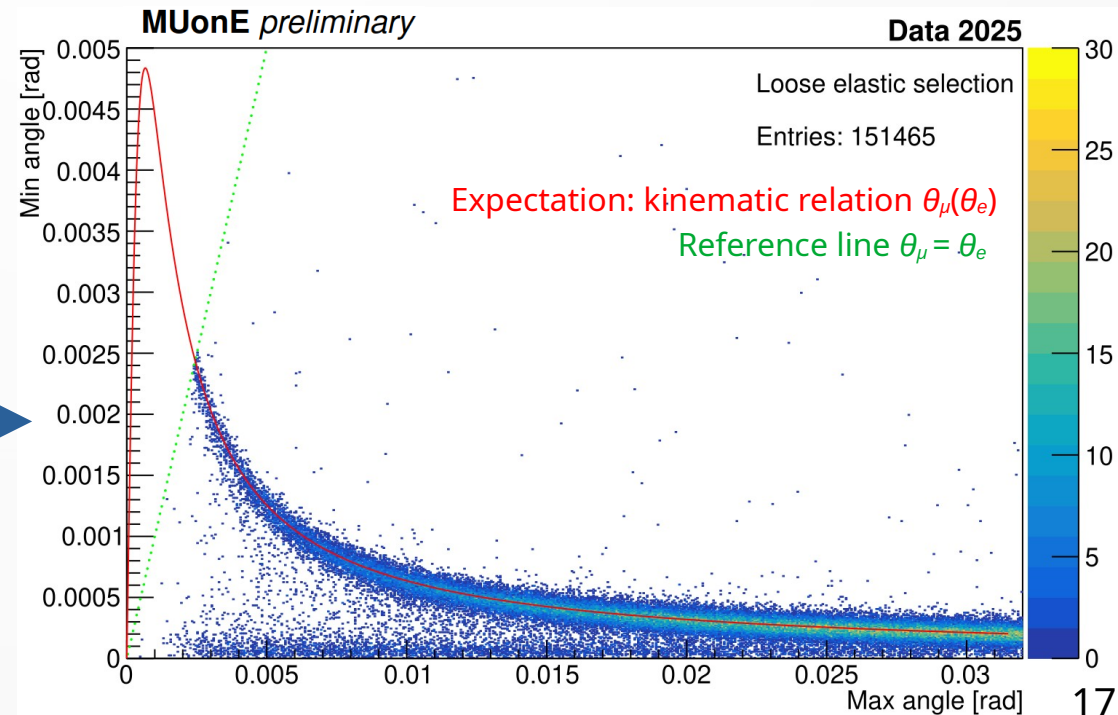
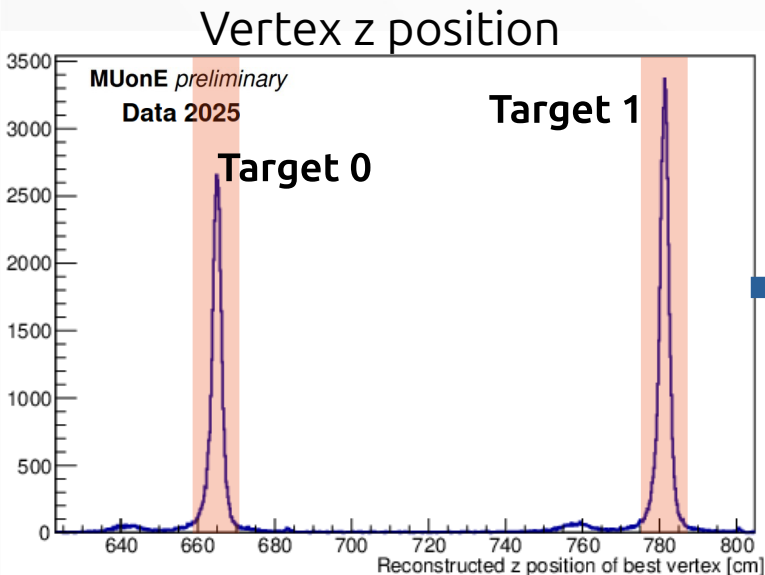
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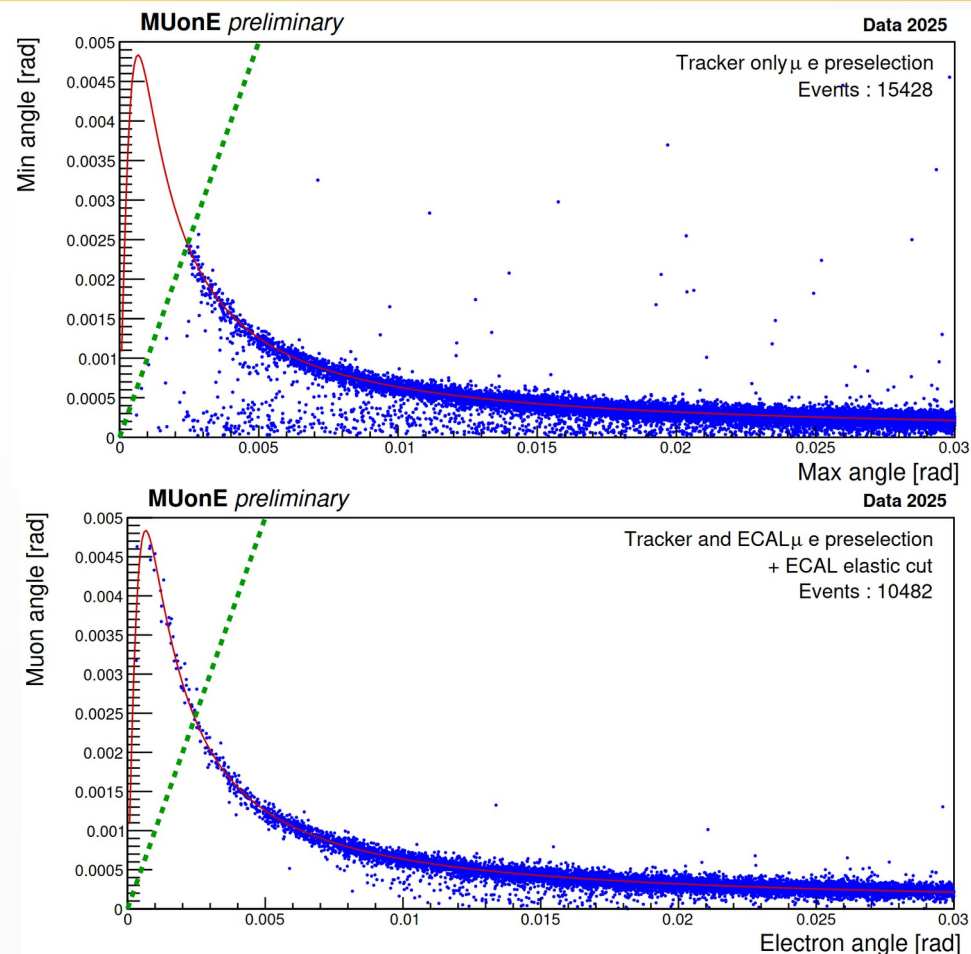
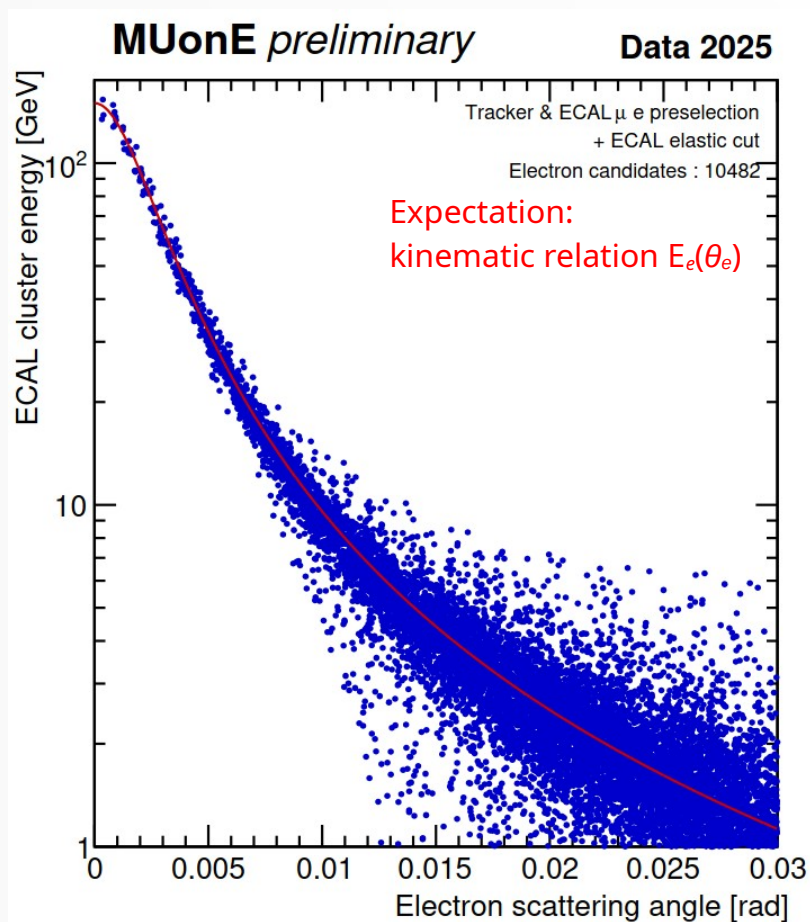
Not able to discriminate between μ and e^- :
plot $\theta_{\max}$ vs $\theta_{\min}$ to avoid misidentification
when $\theta_e < 5$ mrad



ECAL-based PID



Correlation between ECAL energy deposit and θ_e reconstructed in the tracker

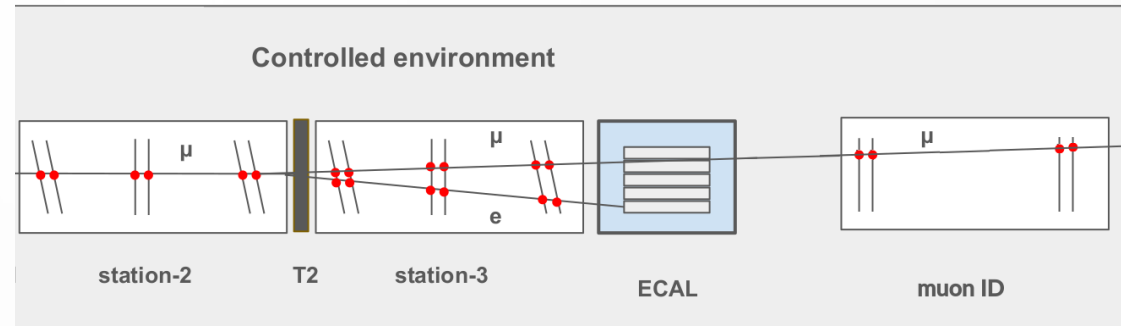


- ECAL energy > 1 GeV
- Matching between candidate e^- track and ECAL cluster centroid
- Loose elastic selection

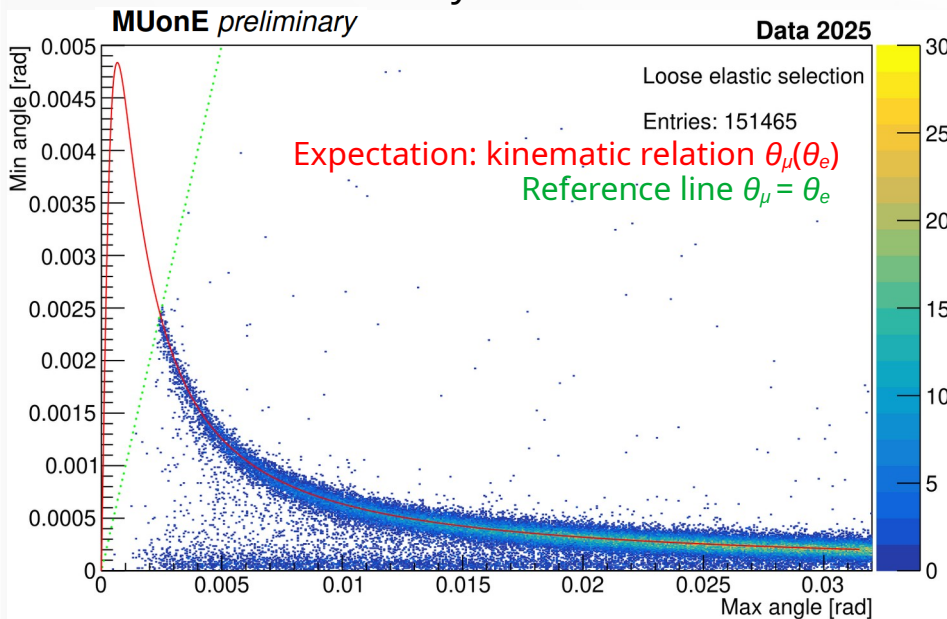
Muon ID-based PID



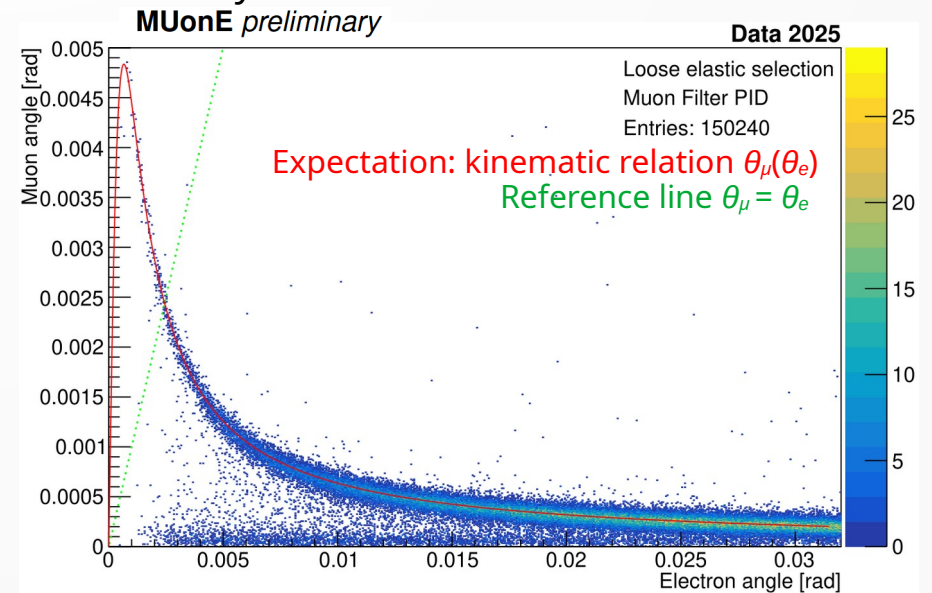
- Propagate tracks to the Muon ID
- Look for matching between a track and muon ID hits: select the muon track



Tracker-only event selection



Tracker-only event selection + muon ID-based PID



Conclusions and outlook

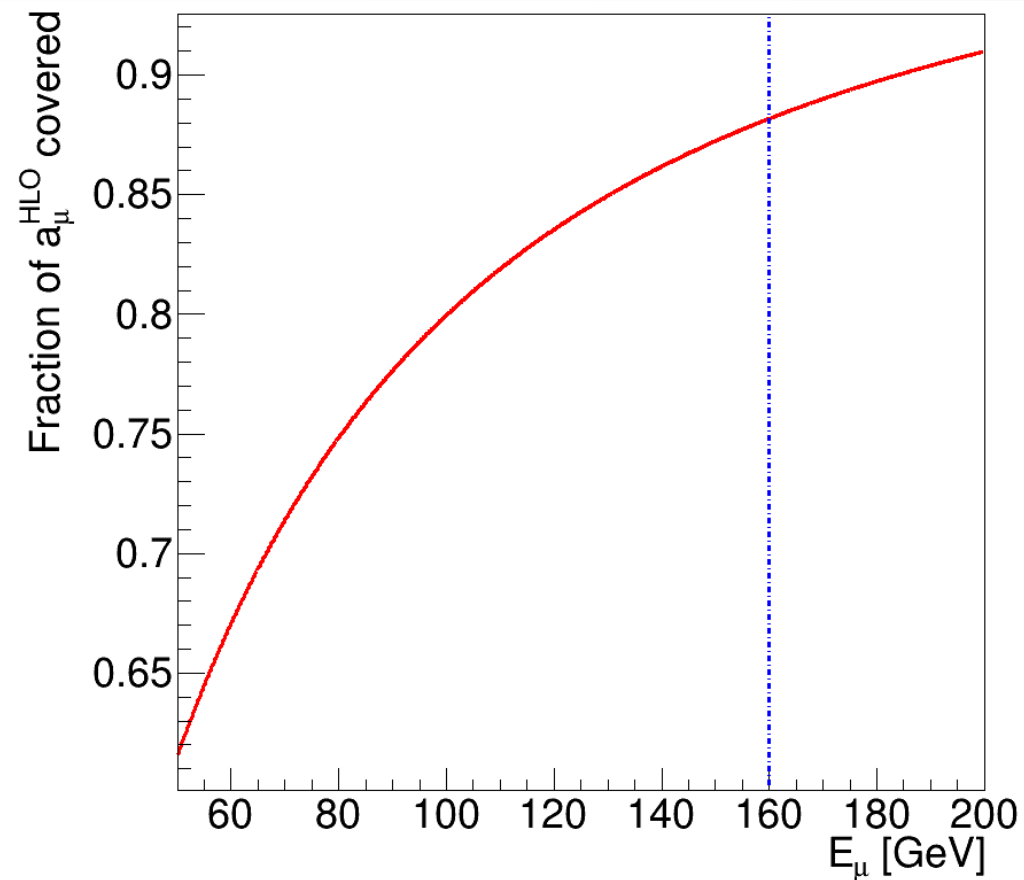
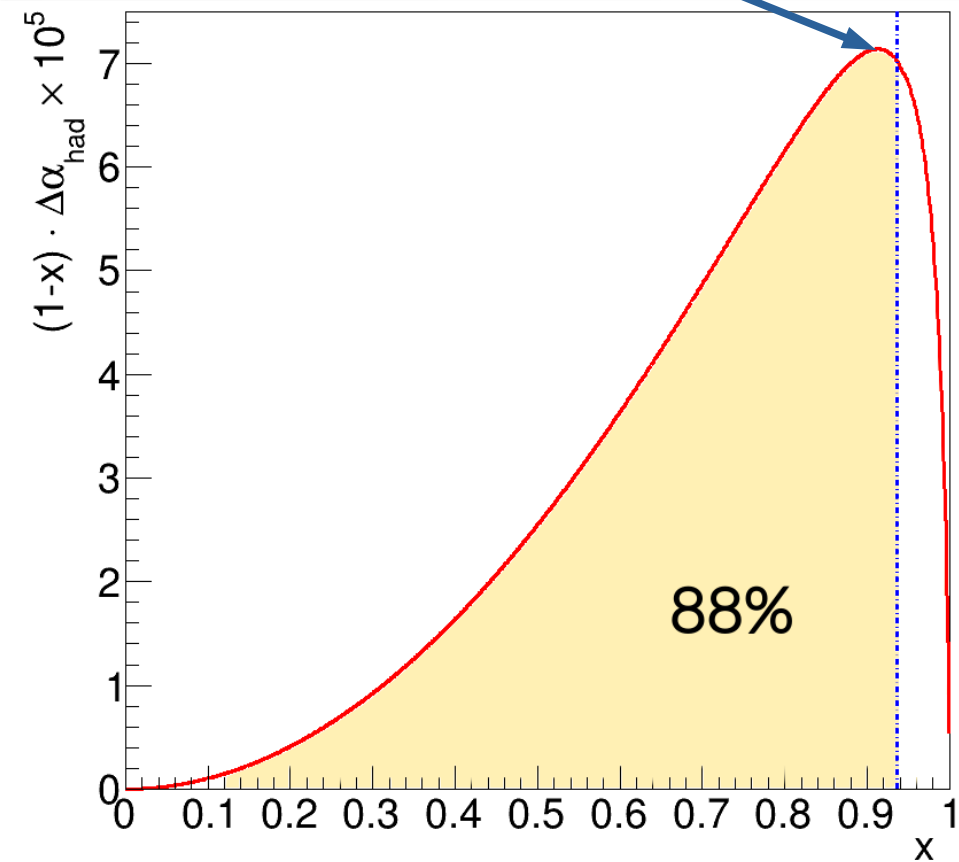
- 2025 Test Run: 3 months data taking.
Tested operations of all sub-detectors with a scaled version of the final apparatus.
- Paper about 2S-modules performance in preparation.
- Analysis campaign underway
 - Huge effort to improve the MC simulation (2S-modules electronics response, realistic beam profile, asynchronous beam effects...)
 - First data/MC comparison expected in the next months using a fraction of the total dataset, corresponding to $\times 50$ more statistics than data analysed in 2023.
 - Goals: proof of principle measurement of $\Delta\alpha_{lep}(t)$; preliminary measurement of $\Delta\alpha_{had}(t)$ targeting $O(20\%)$ precision; systematic effects assessment.
- Full-scale experiment proposal (40 tracking stations + ancillary detectors) to be prepared during CERN LS3 based on 2025 results.

BACKUP

$$x < 0.936$$

$$t_{peak} \sim -0.108 \text{ GeV}^2$$

$$x_{peak} \sim 0.92$$

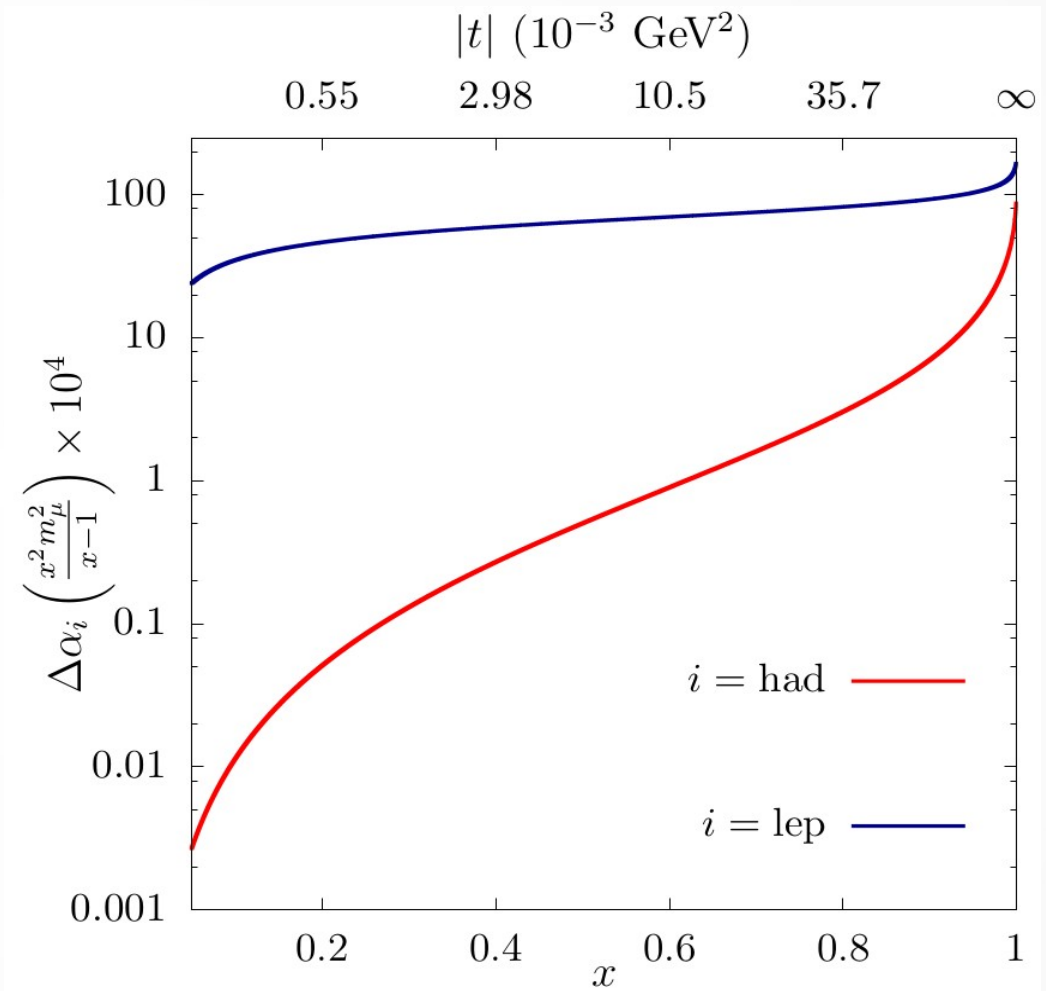


- 160 GeV muon beam on atomic electrons.

$$\sqrt{s} \sim 420 \text{ MeV}$$

$$-0.153 \text{ GeV}^2 < t < 0 \text{ GeV}^2$$

$$\Delta\alpha_{had}(t) \lesssim 10^{-3}$$



$\Delta\alpha_{\text{had}}$ parameterization



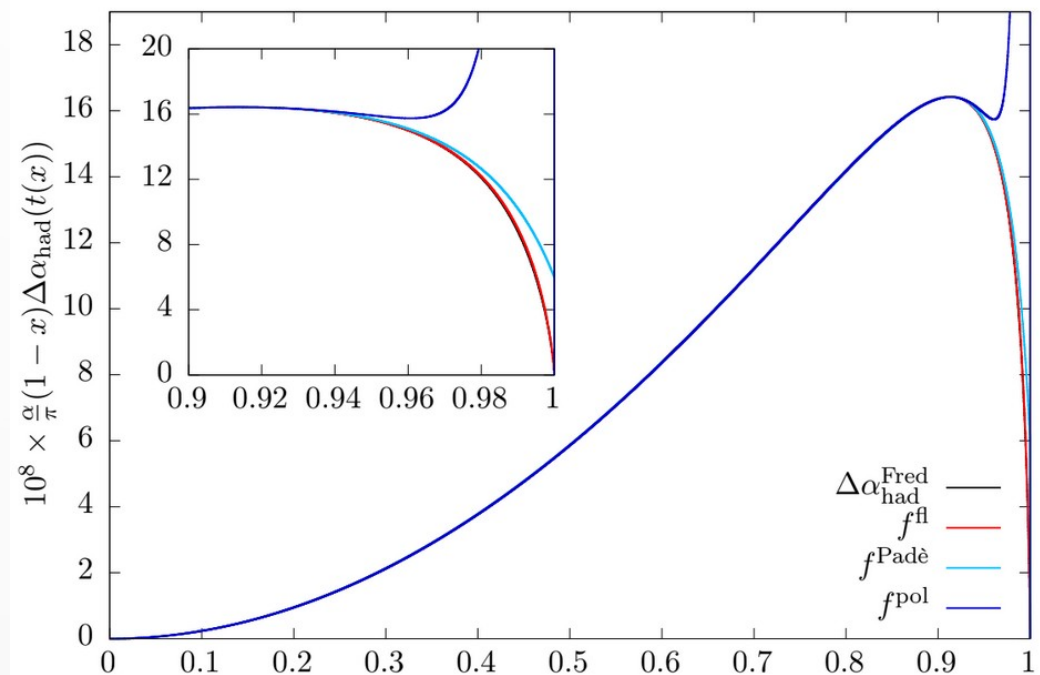
Inspired from the 1 loop QED contribution of lepton pairs and top quark at $t < 0$

$$\Delta\alpha_{\text{had}}(t) = KM \left\{ -\frac{5}{9} - \frac{4M}{3t} + \left(\frac{4M^2}{3t^2} + \frac{M}{3t} - \frac{1}{6} \right) \frac{2}{\sqrt{1 - \frac{4M}{t}}} \ln \left| \frac{1 - \sqrt{1 - \frac{4M}{t}}}{1 + \sqrt{1 - \frac{4M}{t}}} \right| \right\} \quad \text{2 parameters: } K, M$$

Allows to calculate
the full value of a_{μ}^{HLO}

Dominant behaviour in the
MUonE kinematic region:

$$\Delta\alpha_{\text{had}}(t) \simeq -\frac{1}{15} K t$$



Alternative method to compute $a_\mu^{\text{HVP,LO}}$ from MUonE data



Based on **Phys. Rev. D 85 (2012)** **Phys. Rev. D 96 (2017)**

Phys. Lett. B 848 (2024)

Start from the dispersive integral

$$a_\mu^{\text{HLO}} = \frac{\alpha^2}{3\pi^2} \int_{s_{\text{th}}}^{\infty} \frac{ds}{s} K(s) R(s)$$

Approximated kernel + Cauchy theorem
to remove the problematic low energy part

$$a_\mu^{\text{HLO}} = a_\mu^{\text{HLO (I)}} + a_\mu^{\text{HLO (II)}} + a_\mu^{\text{HLO (III)}} + a_\mu^{\text{HLO (IV)}}$$

$$a_\mu^{\text{HLO (I)}} = -\frac{\alpha}{\pi} \sum_{n=1}^3 \frac{c_n}{n!} \frac{d^{(n)}}{dt^n} \Delta\alpha_{\text{had}}(t) \Big|_{t=0}$$

$$a_\mu^{\text{HLO (II)}} = \frac{\alpha}{\pi} \frac{1}{2\pi i} \oint_{|s|=s_0} \frac{ds}{s} c_0 s \Pi_{\text{had}}(s) \Big|_{\text{pQCD}}$$

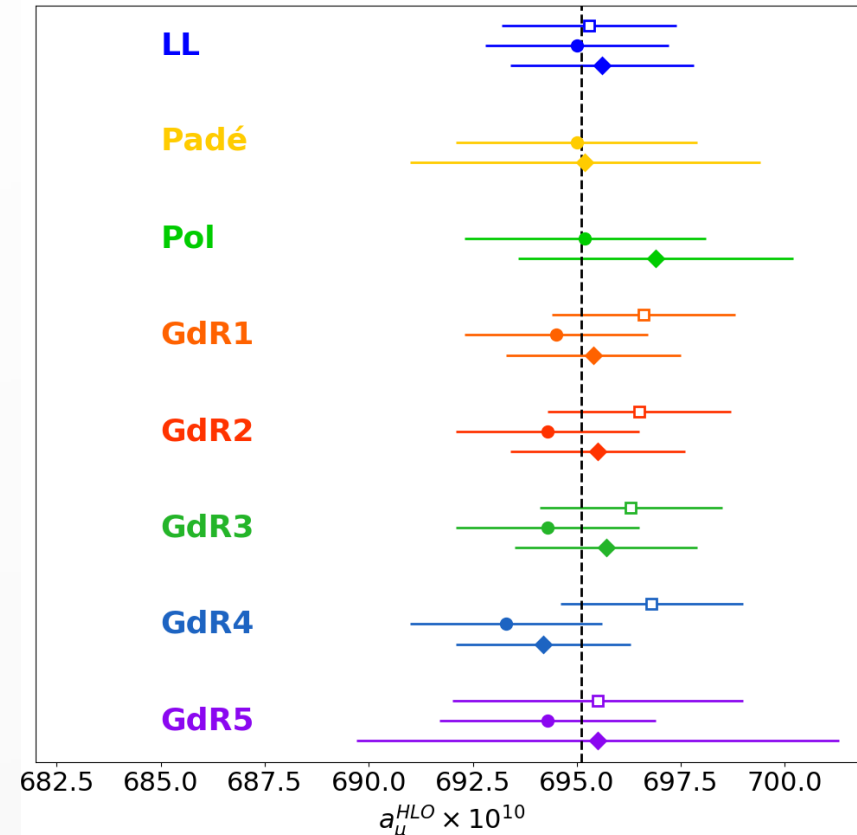
$$a_\mu^{\text{HLO (III)}} = \frac{\alpha^2}{3\pi^2} \int_{s_{\text{th}}}^{s_0} \frac{ds}{s} [K(s) - K_1(s)] R(s)$$

$$a_\mu^{\text{HLO (IV)}} = \frac{\alpha^2}{3\pi^2} \int_{s_0}^{\infty} \frac{ds}{s} [K(s) - \tilde{K}_1(s)] R(s)$$

MUonE
99%

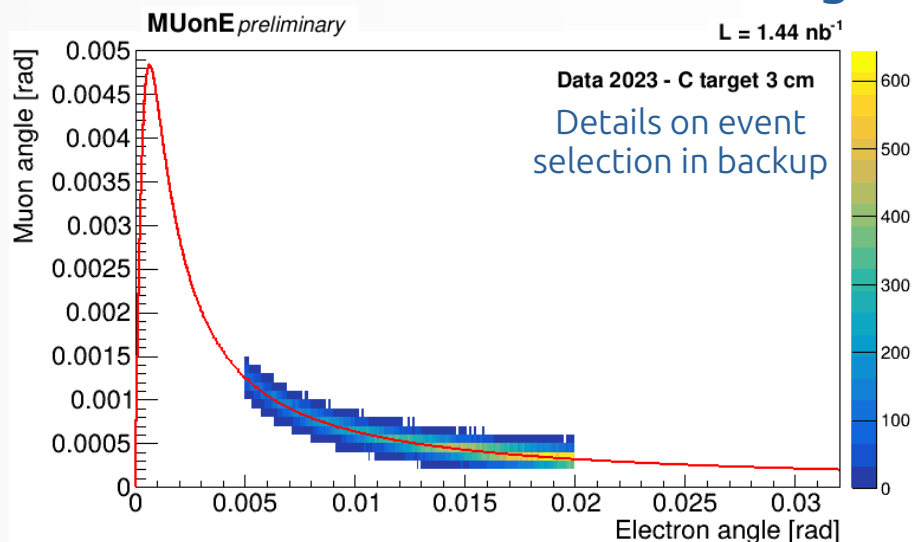
Time-like
data
+
pQCD
1%

Competitive results independently
of the $\Delta\alpha_{\text{had}}(t)$ parameterization



Test Run 2023 – Data/MC comparison

Select elastic events in a clear region

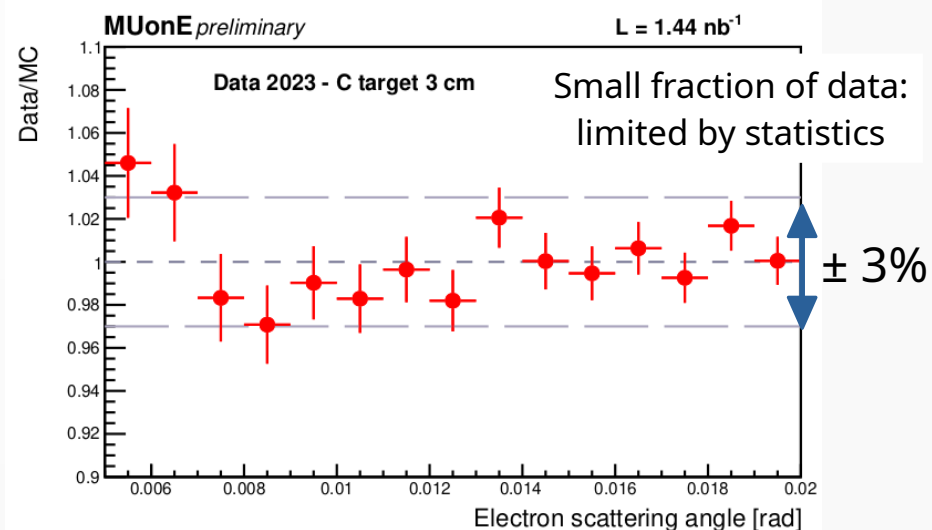
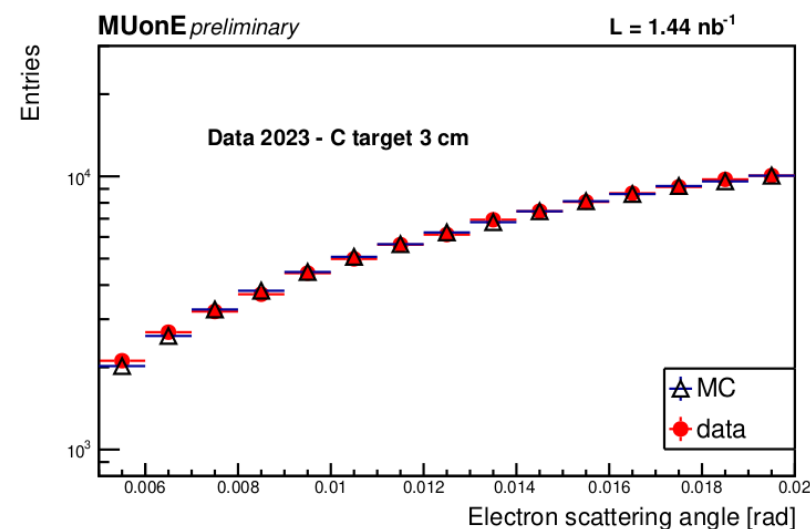


Count N_μ on target → luminosity estimate

Data/MC comparison of the cross section within event selection:

$$\sigma_{\text{data}} = (75.1 \pm 3.1) \mu\text{b}$$

$$\sigma_{\text{MC}} = (77.75 \pm 0.14) \mu\text{b}$$



Data-MC comparison of elastic events

Data sample: run 6 $\rightarrow 97 \times 10^6$ events **after skimming** to be reconstructed

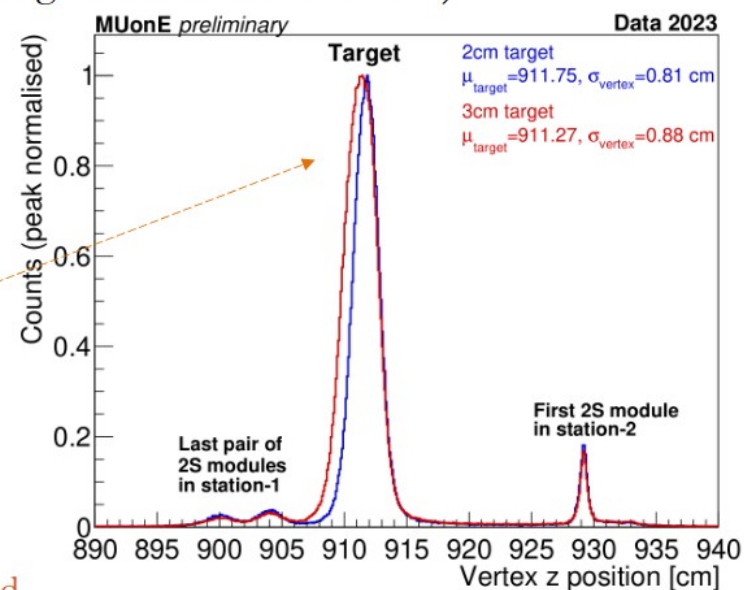
MC sample: MESMER generated signal elastic events $\rightarrow 16.5 \times 10^6$ to be reconstructed with **realistic misalignment scenario** (simulated geometry from real metrology followed by track-based alignment as with real data)

Fiducial selection:

- $N_{\text{hits}_{S0}} = 6 \rightarrow 1$ per module: golden muon (GM);
- GM impinges last 2 modules in S0 within ± 1.5 cm from centre in X and Y ;
- Reconstructed GM with $\theta < 4$ mrad.

Elastic selection:

- $N_{\text{hits}_{S1}} \leq 15$;
- Reconstructed Z vertex > 906 cm;
- $\theta_\mu > 0.2$ mrad, $5 < \theta_e < 20$ mrad;
 > 0.2 mrad: main background removed
 > 5 mrad: Avoid ambiguities in PID
 < 20 mrad: region less affected by systematics
- Acoplanarity $|A_\phi| < 0.4$ rad;
- Elasticity condition: $|\theta_\mu - \theta_\mu^{\text{exp}}(\theta_e)| < 0.2$ mrad



$$\theta_\mu^{\text{exp}}(\theta_e) = \arcsin \left\{ \sin \theta_e \sqrt{\frac{E_e^2(\theta_e) - m_e^2}{[E_\mu + m_e - E_e(\theta_e)]^2 - m_\mu^2}} \right\}$$

Absolute luminosity normalization

From the **knowledge of the number of golden muons** (passing the fiducial selection) that can potentially interact in the target, we can estimate luminosity:

Fiducial selection:

$N_{\text{hits}_{S0}} = 6 \rightarrow 1$ per module: **golden muon** (GM);
GM impinges last 2 modules in S0 within ± 1.5 cm from centre in X and Y ;
Reconstructed GM with $\theta < 4$ mrad.

Luminosity **real data**:

$$\sigma = \frac{N_{\text{elastic}}}{\epsilon_{hw} L}$$

$$\epsilon_{hw} = 0.850 \pm 0.035 :$$

2 tracks reconstruction

efficiency which depends on
modules efficiency

$$(\epsilon_{mod} = 0.980 \pm 0.005)$$

$$L = N_{\mu o T} \cdot d_{target} \cdot \rho_{target}^e =$$

$$\text{Run 6} = (1443.0 \pm 8.0) \mu b^{-1}$$

Golden muons on target

Target thickness

$$\text{Electron density target } \rho_{target}^e = \rho \cdot \frac{Z}{A} \cdot N_A$$

Main error on:

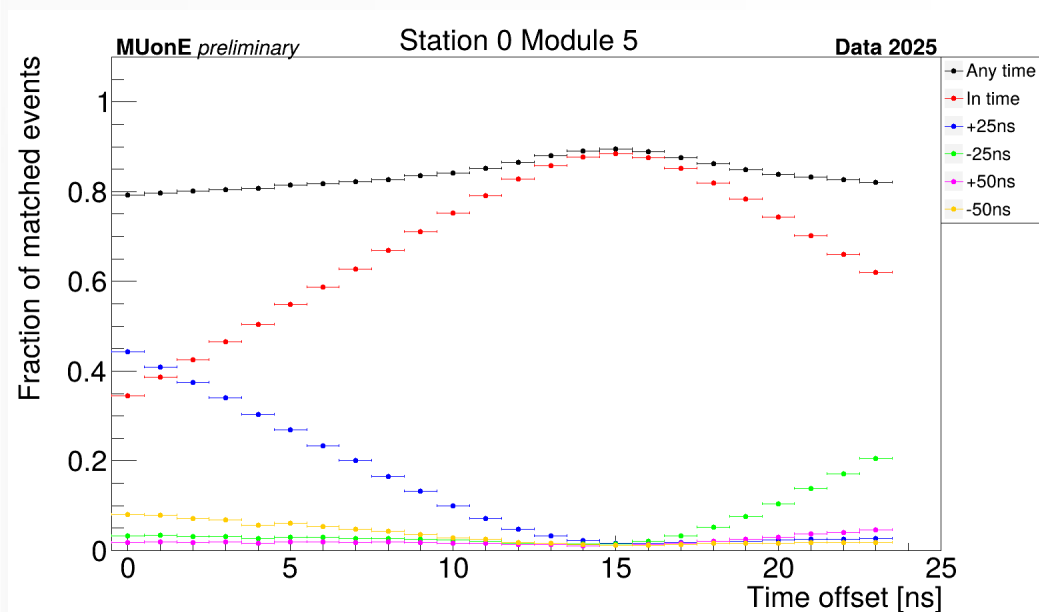
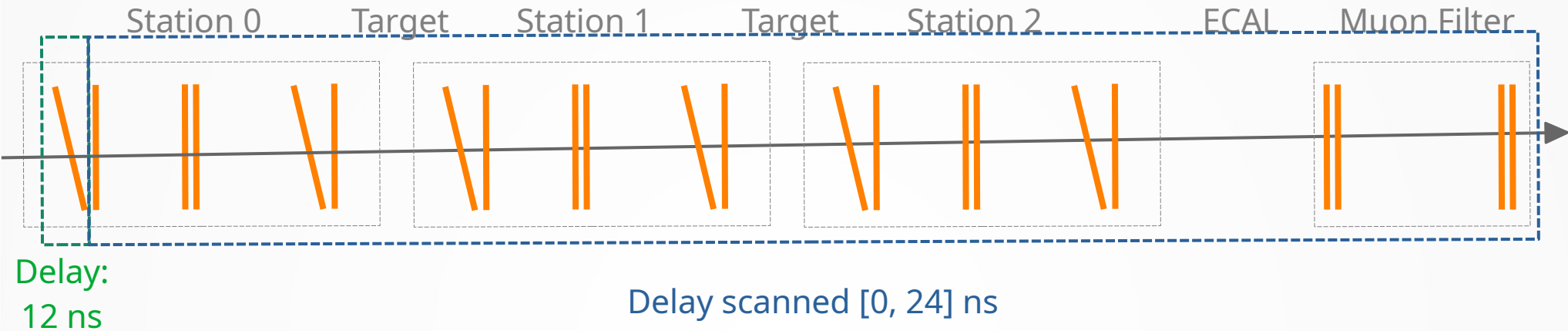
$$\rho = (1.83 \pm 0.01) g/cm^3$$

+

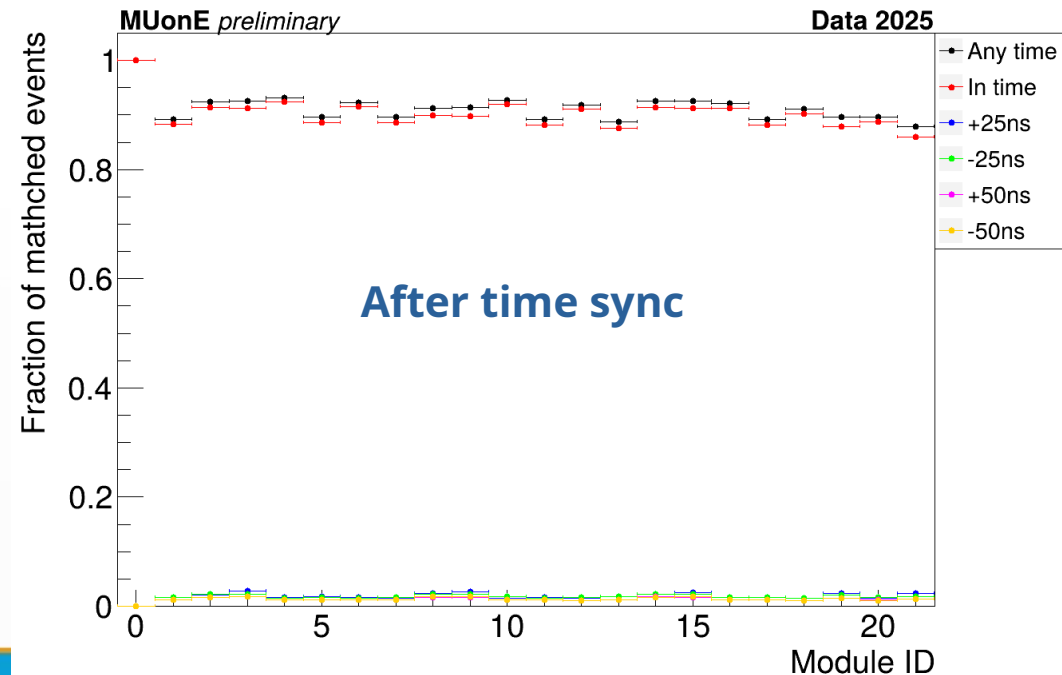
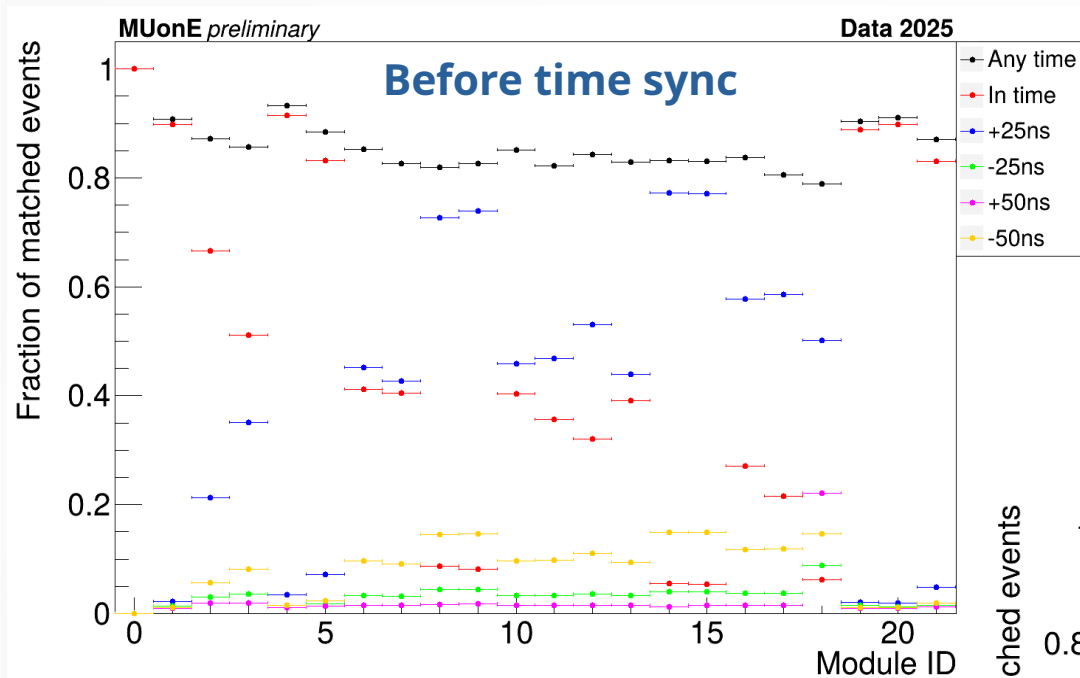
$$d_{target} = (3.000 \pm 0.001) cm$$

MC selection efficiency on σ_{MC} estimate: 76.5%

TR 2025 – tracker time synchronisation



TR 2025 – tracker time synchronisation

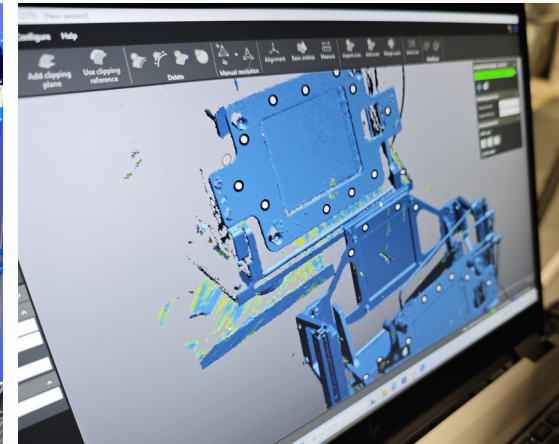


Alignment

- Hardware (stepper motors):
 - center the beam profile on each module ($< 500 \mu\text{m}$)
 - align the longitudinal axis of each station to the beam axis ($< 0.5\text{mrad}$)
 - align the 3 stations one relative to the other ($< 200 \mu\text{m}$)
- Software: local χ^2 minimization on a sample of single passing muons.

Metrology measurements of the detector ($< 100 \mu\text{m}$ precision)

- 3D scanner photogrammetry:
 - position and orientation of each module within a station
- Laser survey:
 - relative position of the different subdetectors; absolute position with respect to beam elements
- To be used as starting point of software alignment



Summary of the main sources of systematic errors and corresponding uncertainties for the 2025 run

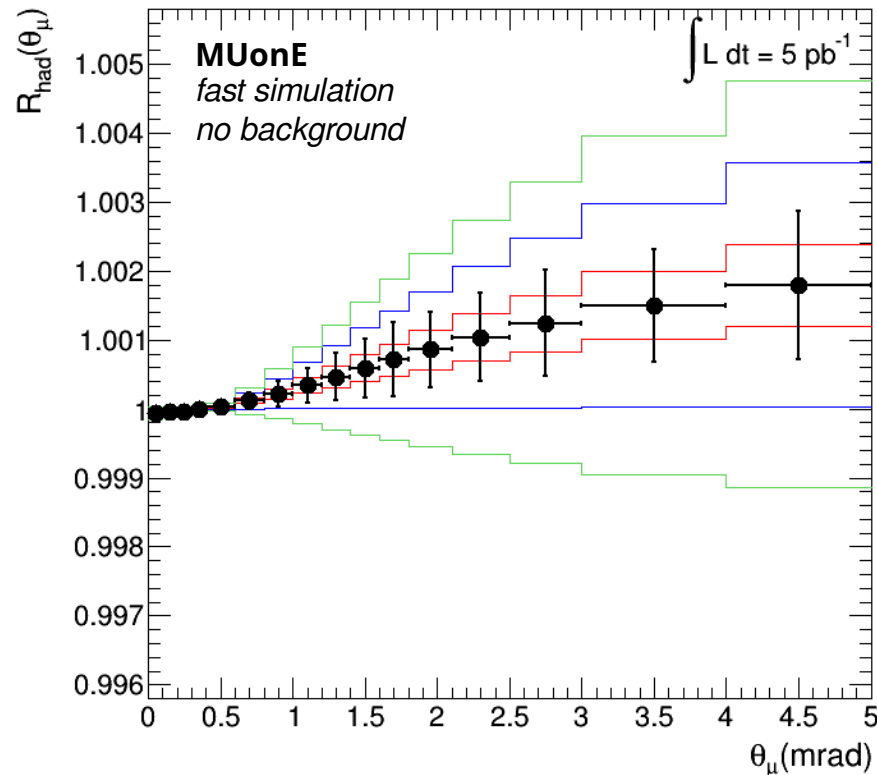


Source of systematic error	Uncertainty on the systematic source	Uncertainty on $\Delta\alpha_{had}$	Uncertainty on $d\sigma$
Intrinsic angular resolution	0.5%	10%	200 ppm
Multiple scattering	1%	10%	200 ppm
Beam energy scale	25 MeV	10%	200 ppm
z coordinate	100 μm	10%	200 ppm
Beam energy spread (3.75%)			
current BMS	4% ($\sigma_p/p \sim 1\%$)	1%	20 ppm
upgraded BMS	1% ($\sigma_p/p < 0.5\%$)	$< 0.5\%$	5ppm
Other contributions (i.e. tracking efficiency and reconstruction uniformity, residual background)		15%	300 ppm
Total		25%	500 ppm

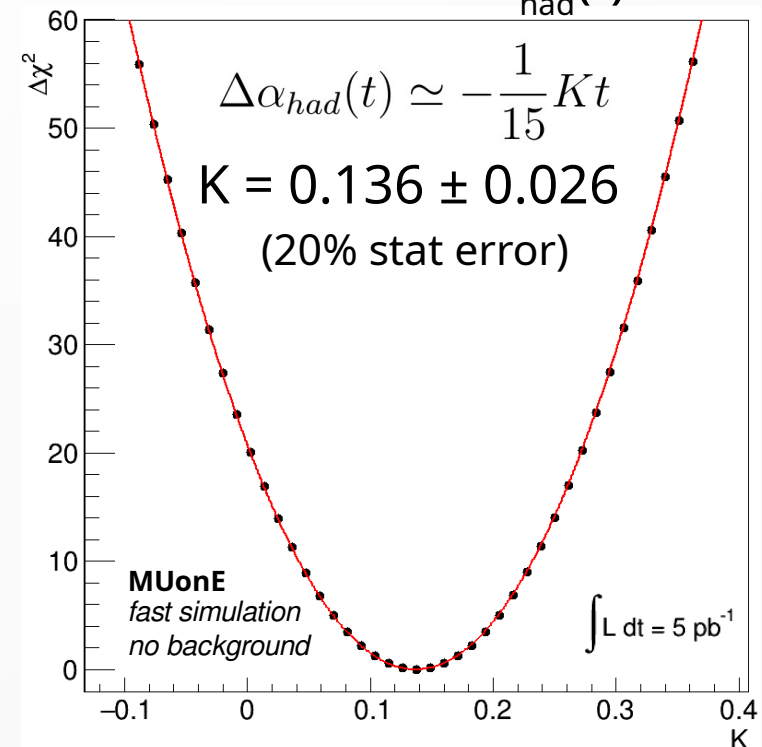
First measurement of $\Delta\alpha_{\text{had}}(t)$

Expected event yield: $\sim 10^9$ elastic events within acceptance
(one order of magnitude larger than 2023)

$$R_{\text{had}} = \frac{d\sigma_{\text{data}}(\Delta\alpha_{\text{had}})}{d\sigma_{\text{MC}}(\Delta\alpha_{\text{had}} = 0)} \sim 1 + 2\Delta\alpha_{\text{had}}(t)$$



Template fit procedure
to extract $\Delta\alpha_{\text{had}}(t)$

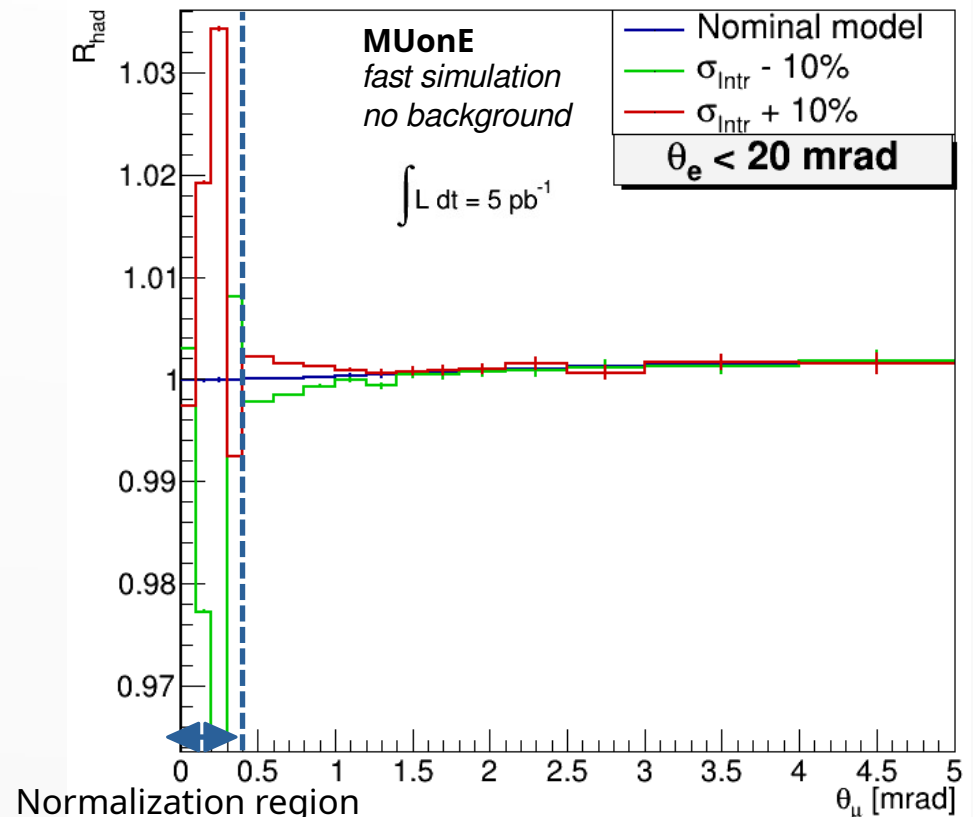
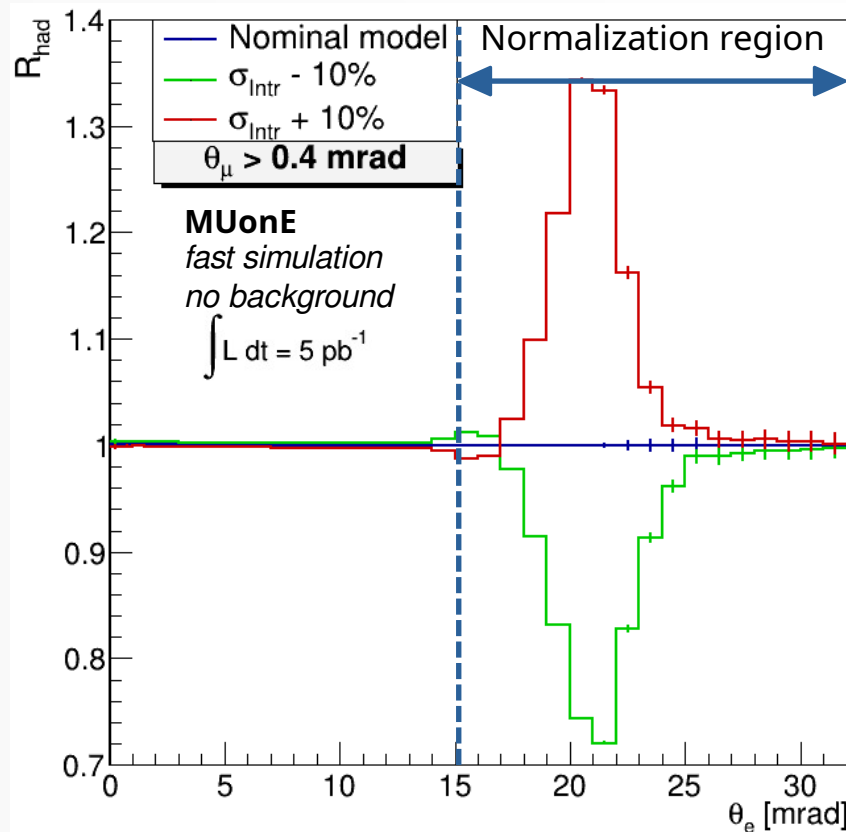


The need of including systematic effects in the analysis



Some systematic effects can produce huge distortions in the shape of the elastic scattering cross section

Example: $\pm 10\%$ error on the angular intrinsic resolution

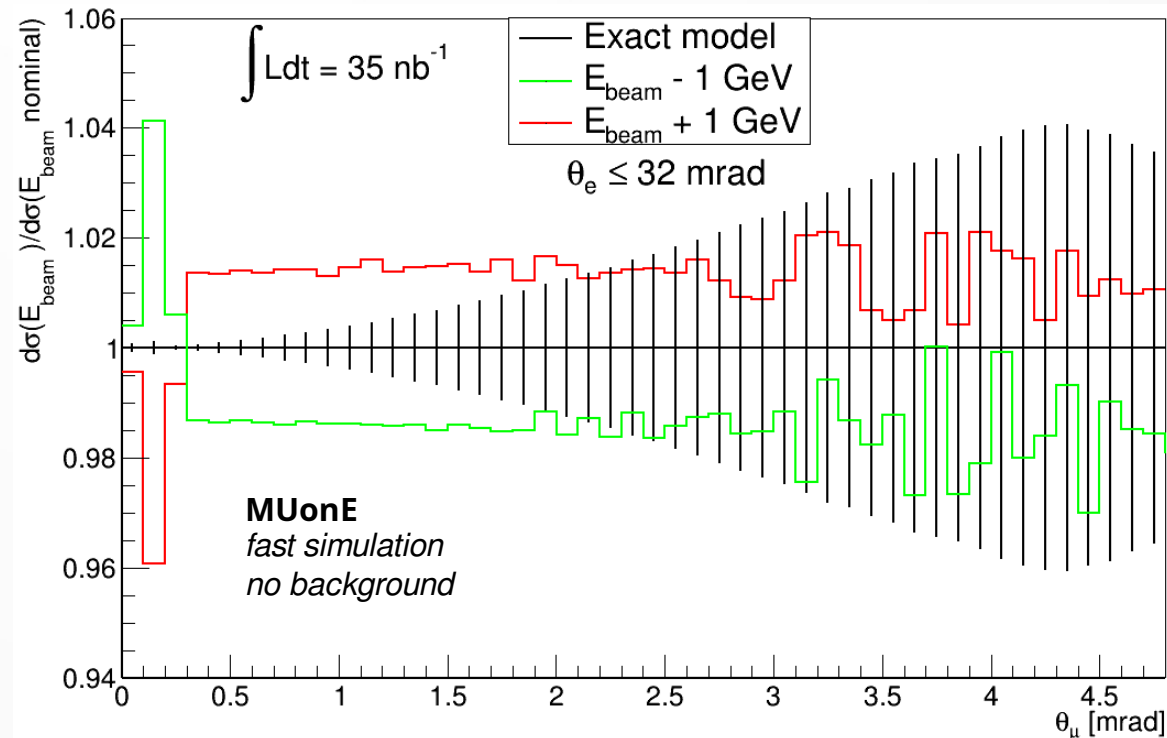


Systematic error on the muon beam energy



Accelerator division
provides E_{beam}
with $O(1\%)$ precision
(~ 1 GeV)

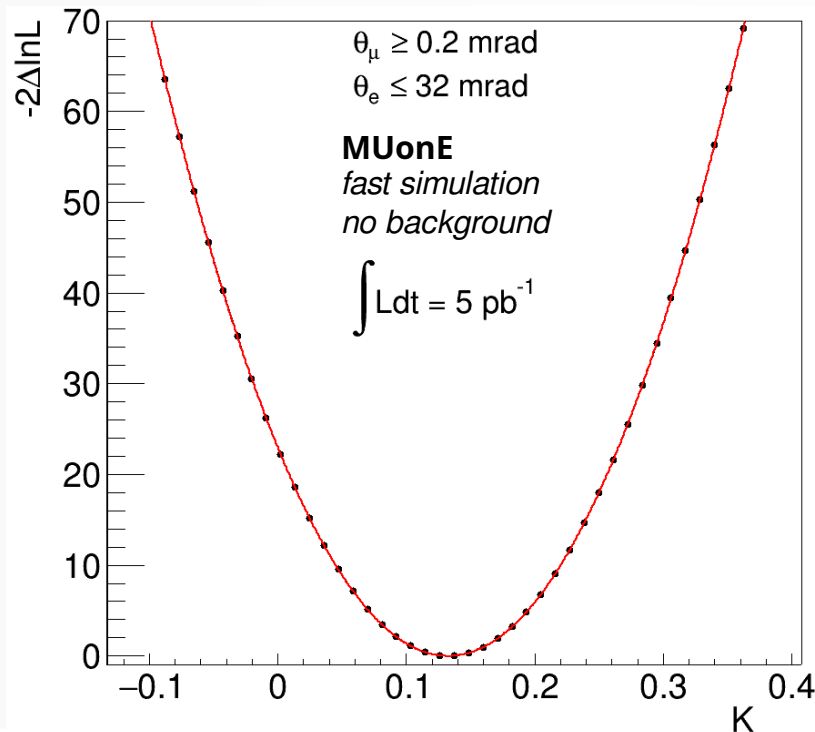
This effect can be seen
from our data in 1h
of data taking per station



Combined fit signal + systematics



- Include residual systematics as nuisance parameters in the fit.
- Simultaneous likelihood fit to K and systematics using the Combine tool.



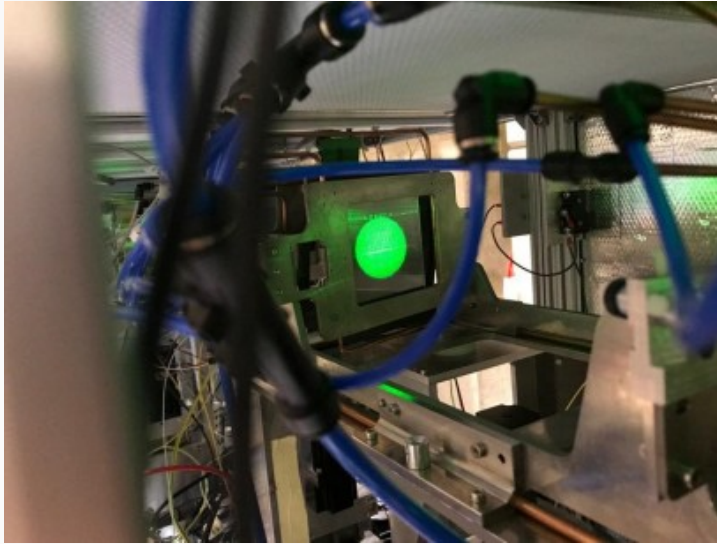
- $K_{\text{ref}} = 0.137$
- shift MS: +0.5%
- shift intr. res: +5%
- shift E_{beam} : +6 MeV

Selection cuts	Fit results
	$K = 0.133 \pm 0.028$
$\theta_e \leq 32$ mrad	$\mu_{\text{MS}} = (0.47 \pm 0.03)\%$
$\theta_\mu \geq 0.2$ mrad	$\mu_{\text{Intr}} = (5.02 \pm 0.02)\%$
	$\mu_{E_{\text{Beam}}} = (6.5 \pm 0.5) \text{ MeV}$
	$\nu = -0.001 \pm 0.003$

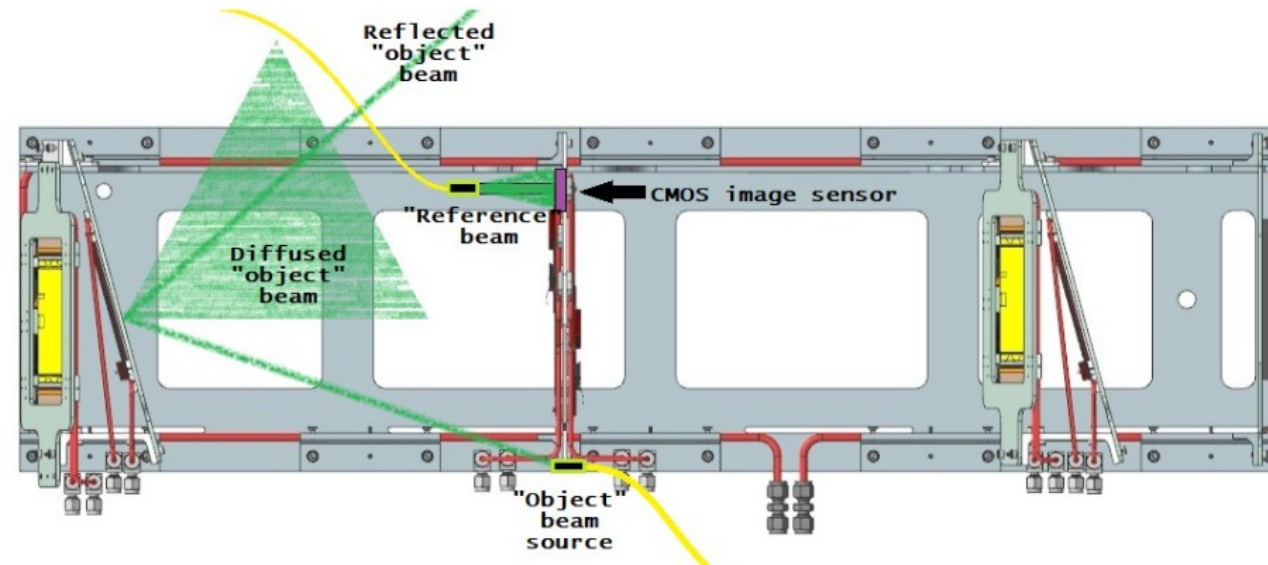
Similar results also for different selection cuts

Input shifts identified correctly.
No degradation on the signal parameter

Laser holographic system



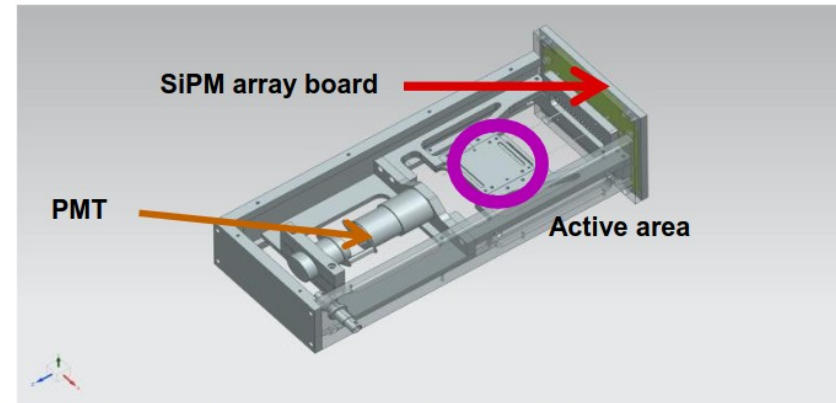
- Compare holographic images of the same object at different time
- Fringe pattern is related to deformations of the mechanical structure
- 532 nm fiber-coupled laser.
Resolution: $\sim 0.25 \mu\text{m}$ (half wavelength)
- Current limitation: Si sensors are sensitive to visible light $\rightarrow$ continuous monitoring is not possible
- Improvement: use $>1500 \text{ nm}$ laser (IR)



SciFi Muon Filter (R&D)



- Prototype for the Muon Filter upgrade (final detector)
- 0.5 mm dia. plastic scintillating fibers (Kuraray SCSF-78MJ)
 - Polystyrene core, double cladding (6% of thickness)
- Double and shifted layer array: 4 fibers coupled to 1 SiPM
 - SiPMs $1.3 \times 1.3 \text{ mm}^2$ (Hamamatsu S13360-1350)
 - PMT (Hamamatsu R1924A) for triggering
- Pitch 1.25 mm – resolution $\sim 360 \mu\text{m}$
- Easy to cover large beam cross sections – easily scalable
- Custom front-end electronics (LIROC2 ASIC) in development



TR 2023

μ - e elastic scattering event selection

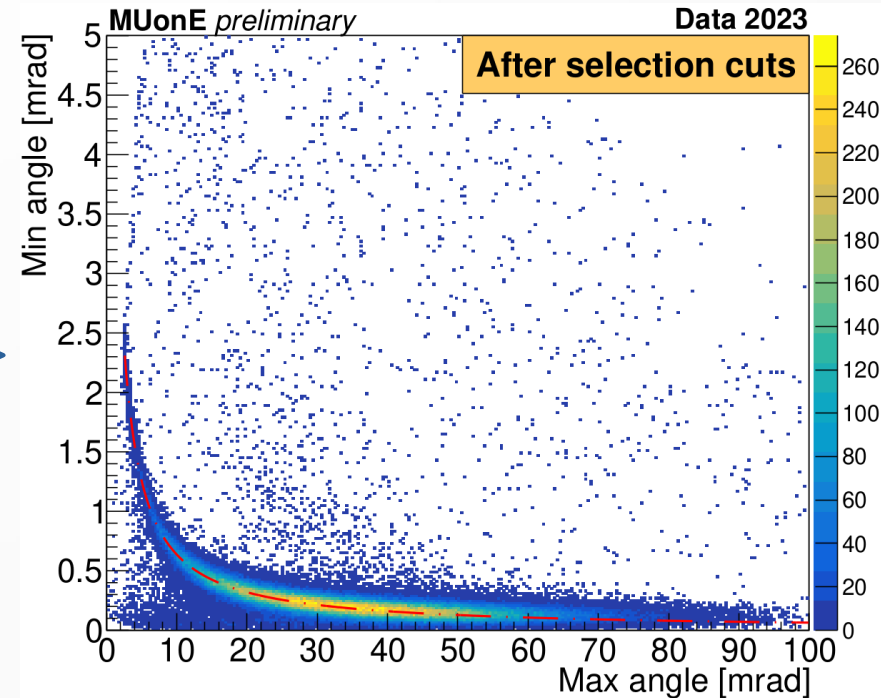
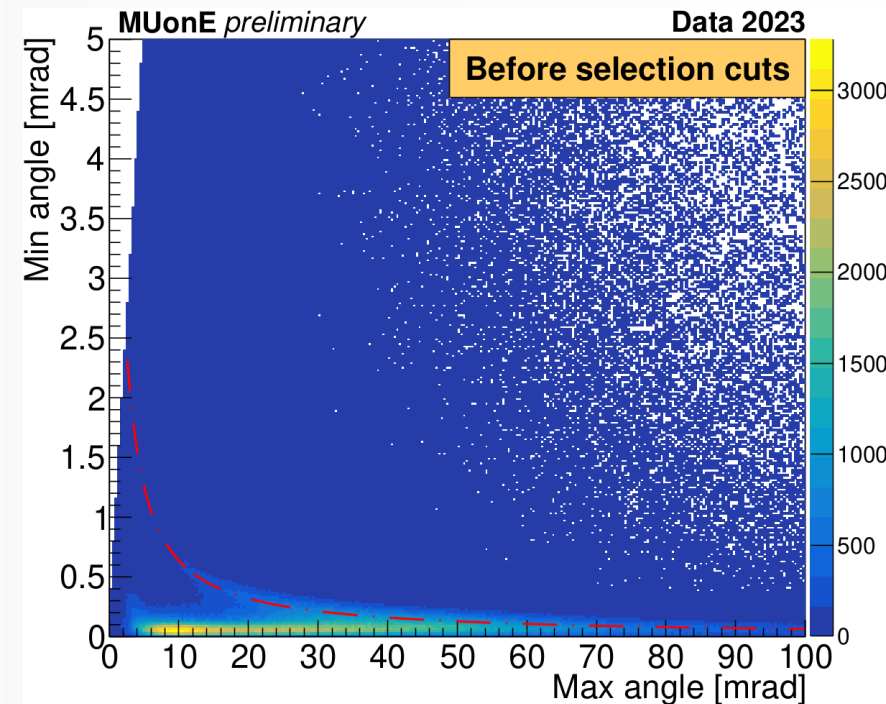


Pre-selection

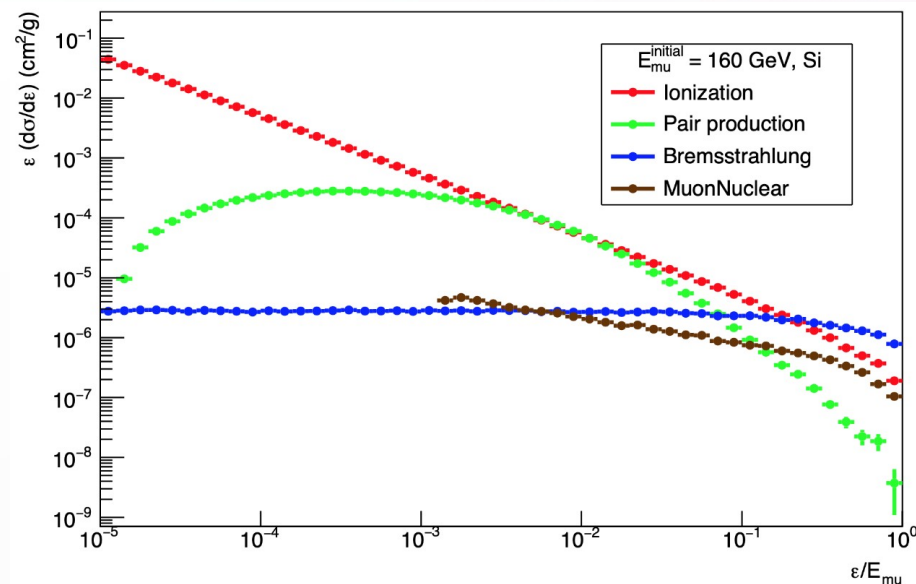
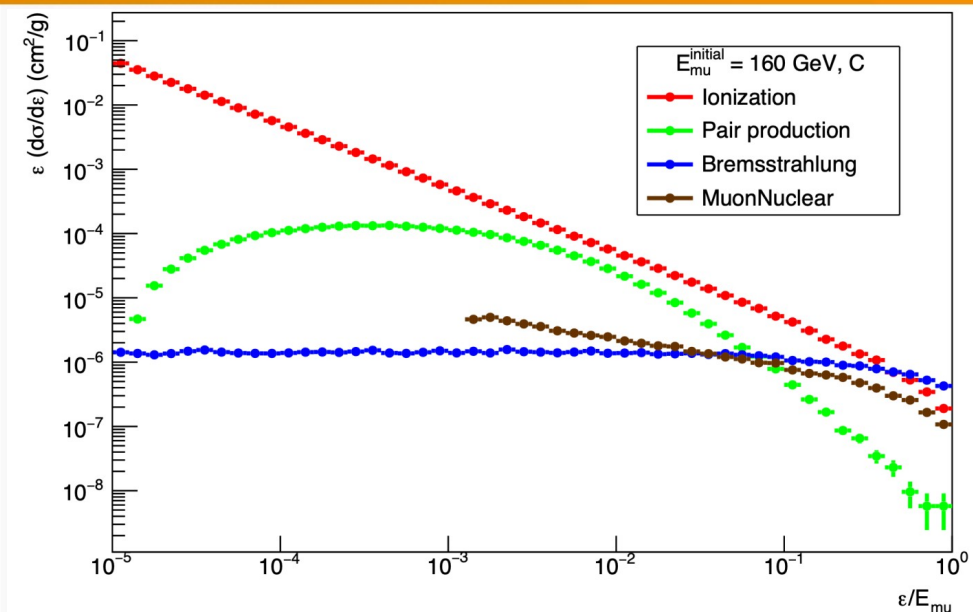
- Single μ_{in} candidate
- μ_{out}, e_{out} pair candidate

Initial event selection

- ≥ 1 hit/module
- $|z_{vtx} - z_{target}| < 3$ cm
- Cut on $N_{hits}(station2)$
- Acoplanarity cut



Backgrounds



θ_e [mrad] 32 0

MESMER

- $\mu e^- \rightarrow \mu e^- \gamma$
- $\mu e^- \rightarrow \mu e^- l^+ l^-$
- $\mu N \rightarrow \mu N l^+ l^-$

$l = e, \mu$

GEANT4

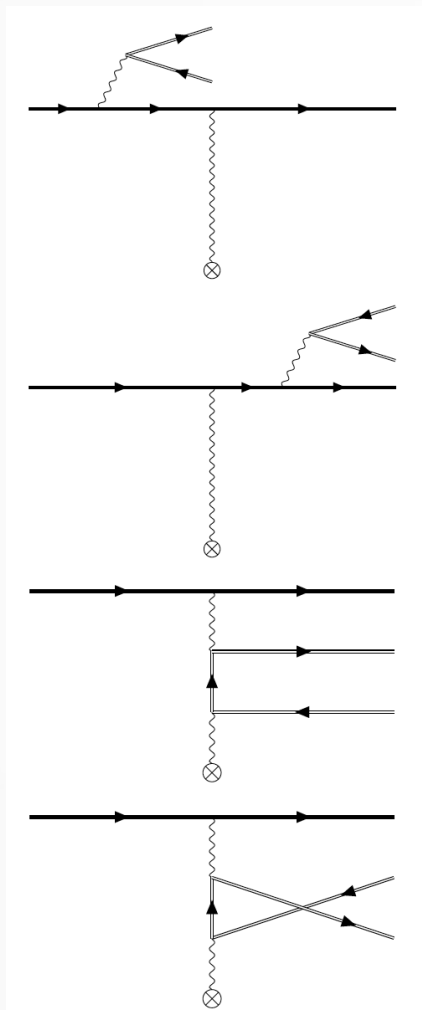
- $\mu N \rightarrow \mu N \gamma$
- $\mu N \rightarrow \mu X$

New Background MC generator

Main background: e^+e^- pair production

Implemented in MESMER

and interfaced with the MUonE detector simulation



Numerical results for $\mu^+ C \rightarrow \mu^+ C e^+ e^-$ (3)

